

Emerging Physics in 3D Nanomagnets

Olivier FRUCHART

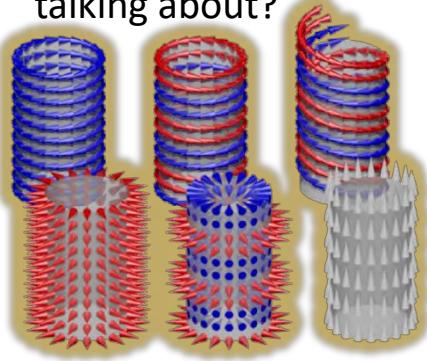
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Slides: <http://fruchart.eu/slides>



- What are we talking about?



What are we talking about?

Emergent

The term emergent is used to evoke collective behaviour of a large number of microscopic constituents that is qualitatively different than the behaviours of the individual constituents

The modifier 'emergent' sometimes appears simply as a colloquial indication that a particular property is of great fundamental importance, and thus newsworthy and highly fundable

S. Kivelson, Defining emergence in physics, *N. J. Phys. Quant. Mater.* 1, 16024 (2016)

The concept of emergence is closely connected with the notions of antireductionism, unpredictability, and novelty. In many cases these latter concepts are explicated in mereological terms: very crudely, something is emergent when it (the whole) is greater than the sum of its parts

R. W. Batterman, Emergence in physics, *Routledge Encyclopedia of Philosophy*

The general notion of emergence is meant to conjoin these twin characteristics of dependence and autonomy. It mediates between extreme forms of dualism, which reject the micro-dependence of some entities, and reductionism, which rejects macro-autonomy

Timothy O'Connor, *Emergent properties*, Stanford encyclopedia of philosophy (2020)

3D nanomagnets

- ☐ Philosophical question: is a domain a 3D object? Is a domain wall an object?

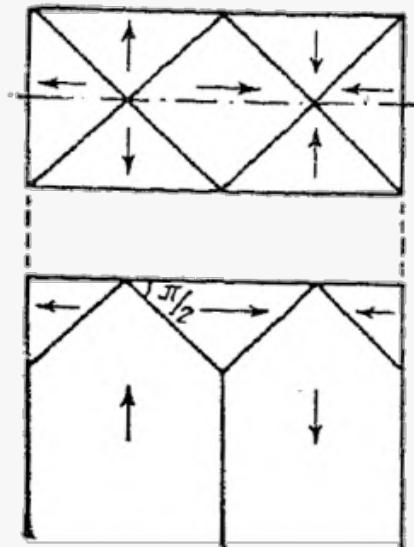
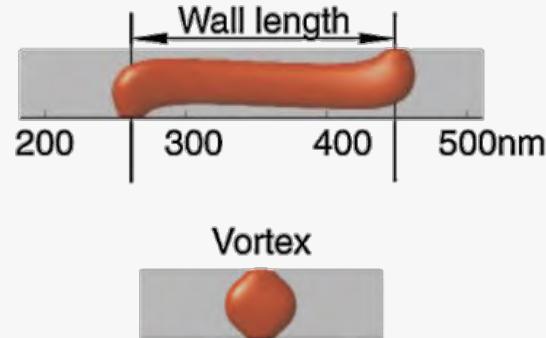


Fig. 3.

L. Landau,
Phys. Z. Sowjetunion 8, 153 (1935)

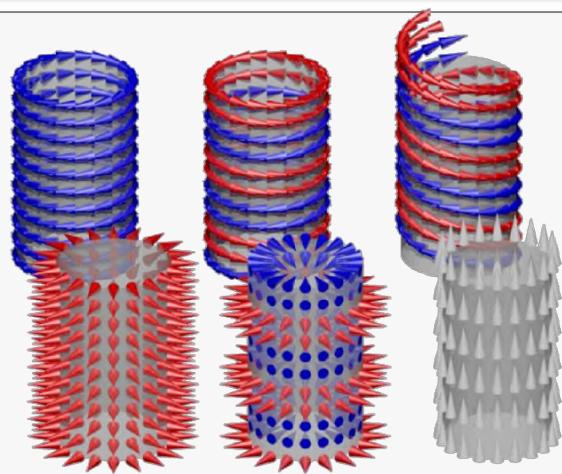


A. Masseboeuf, Phys. Rev. Lett. 104, 127204 (2010)

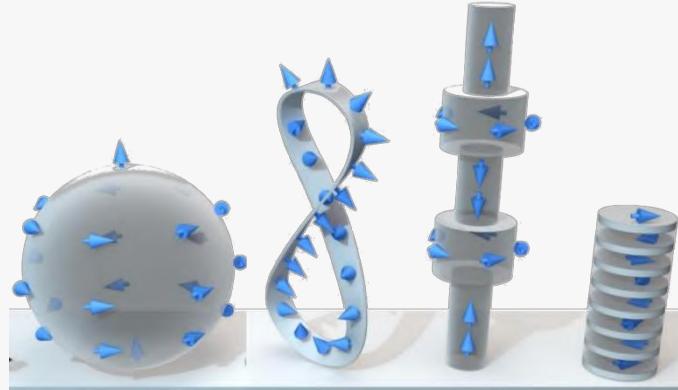


We will consider both 3D nanomagnets and 3D spin textures

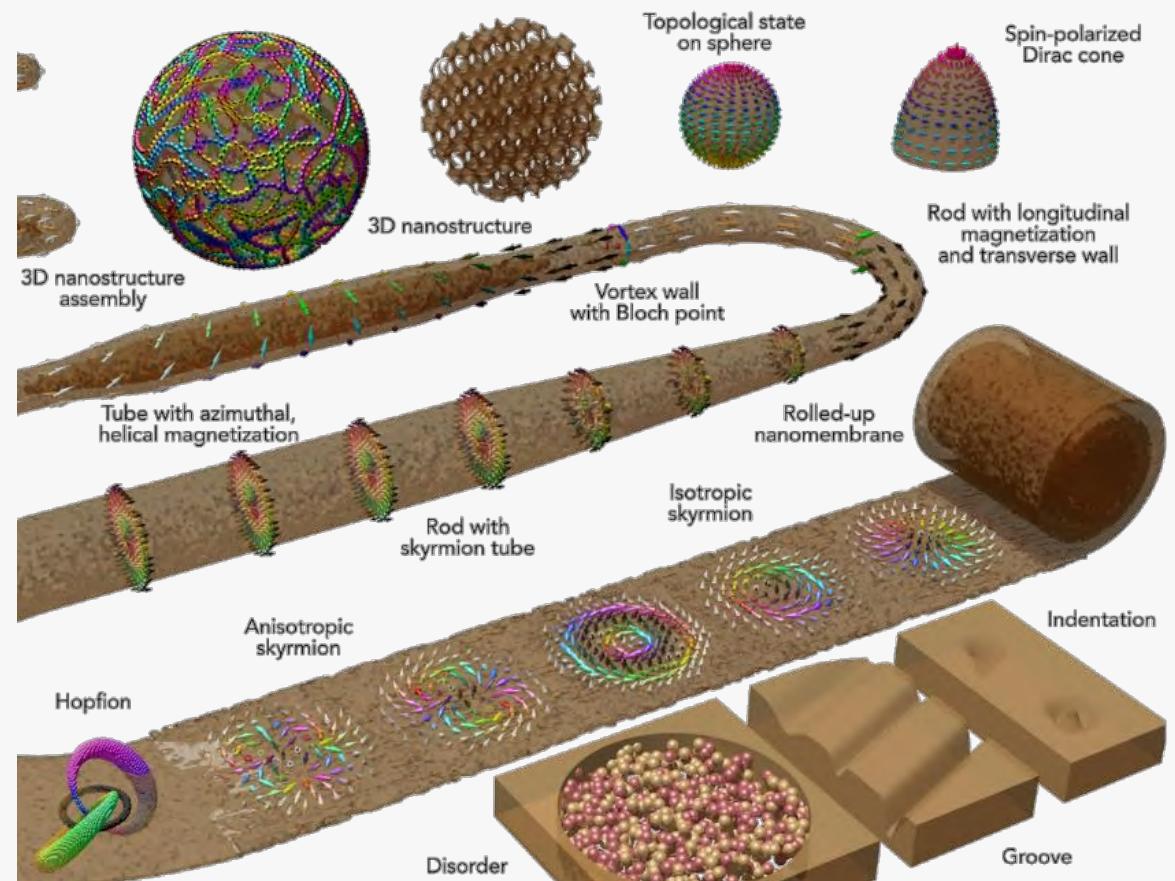
Sharp rise of contributions on 3D nanomagnetism



R. Streubel, J.Phys.D: Appl.Phys. 49, 363001 (2016)



A. Fernandez-Pacheco, Nat. Comm., 8, (2017)

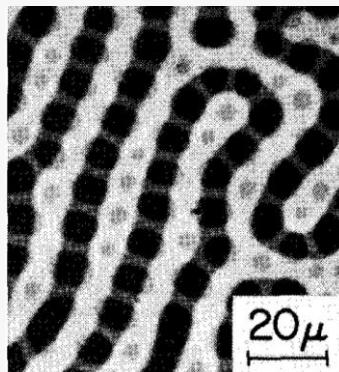
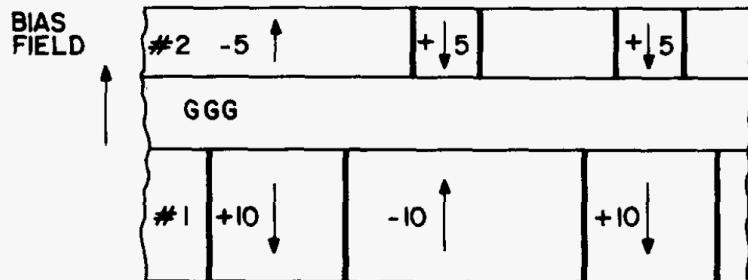


A. Fernandez-Pacheco, Nat. Comm., 8, (2017)

Emergent Physics or Emergent Nanomagnets?

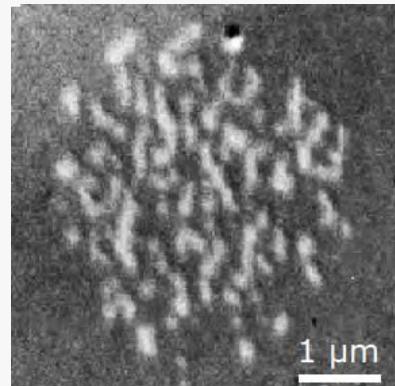
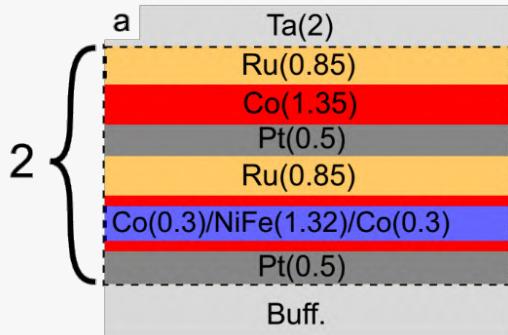
Let us remain humble about emergent physics

Bubble media and memories



Magnetostatically-coupled bilayered bubble-media films

Y.S. Lin, Appl. Phys. Lett. 23, 485 (1973)



Skyrmions in synthetic antiferromagnets

R. Juge, Nat. Comm. 13, 4807 (2022)

Bloch points

R. Feldtkeller,
Z. Angew. Phys.
19, 350 (1965)

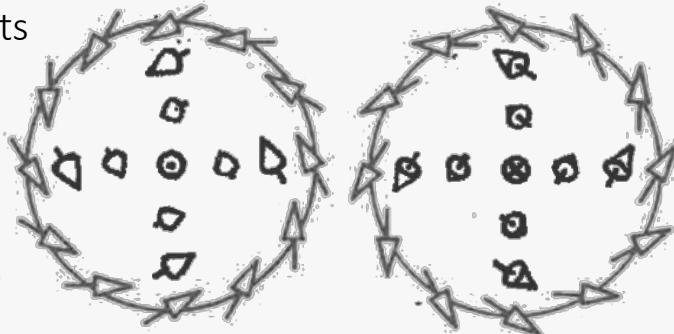
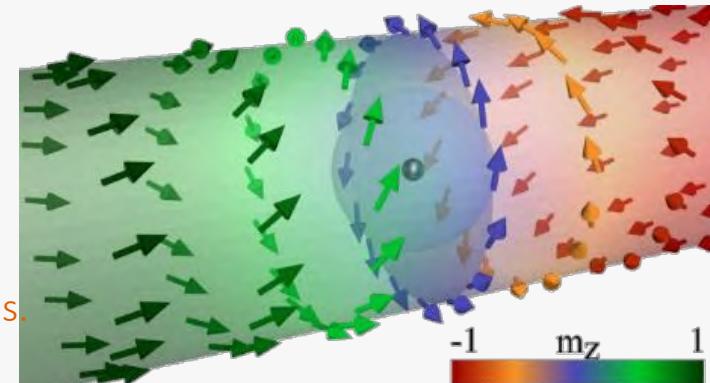
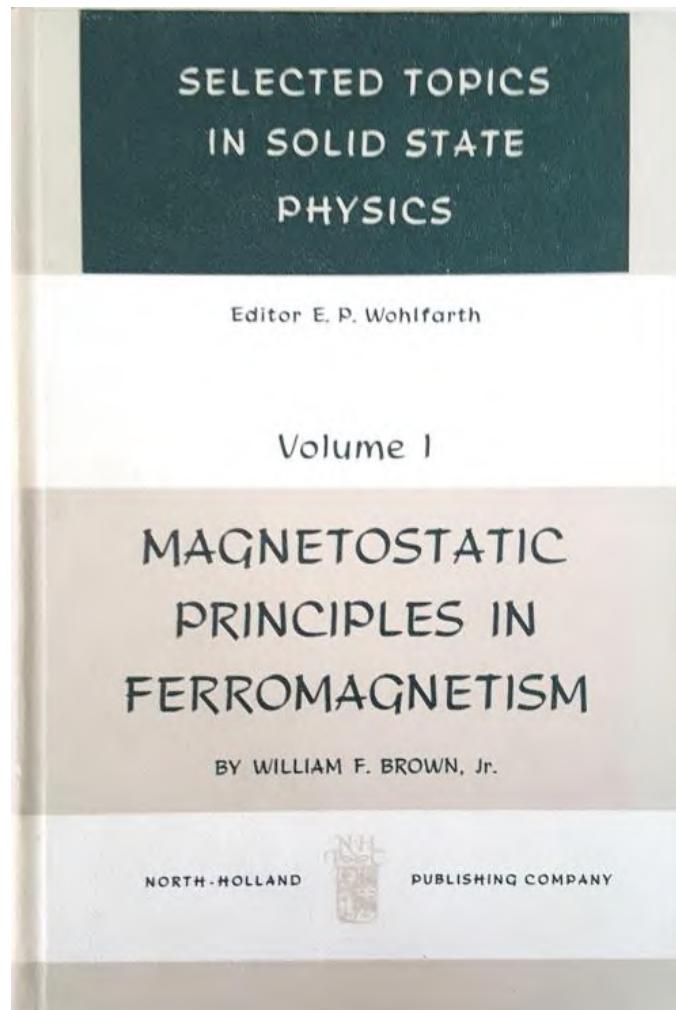
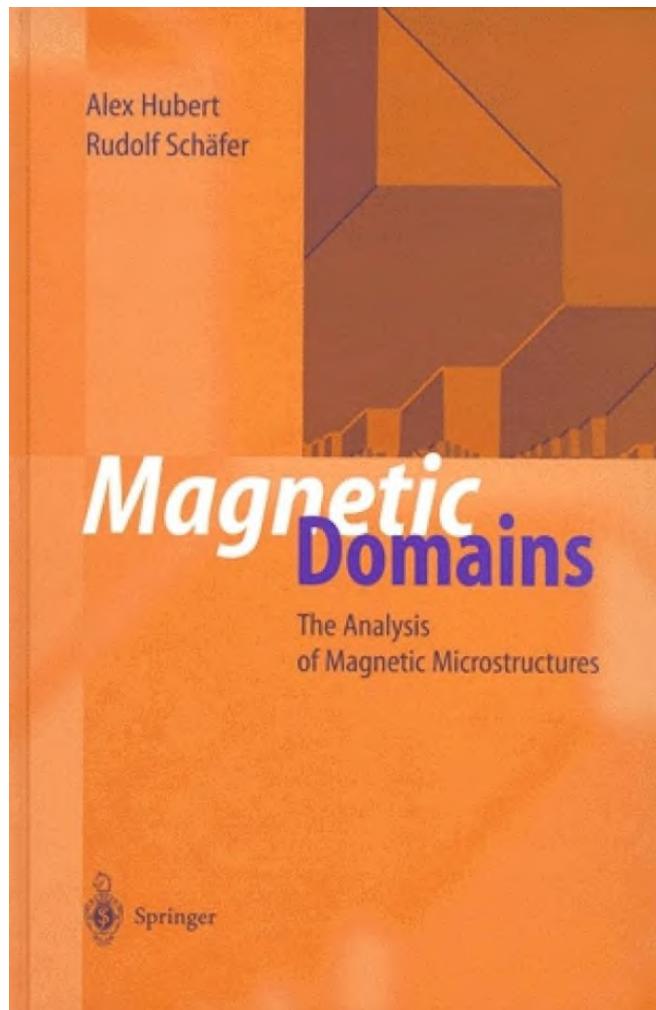


Abb. 9. Die beiden möglichen Umgebungskonfigurationen eines singulären Punktes, bei denen eine dem Punkt umschriebene Kugel insgesamt keine magnetische Ladung besitzt. Dargestellt ist die Magnetisierungskonfiguration einer dem singulären Punkt umschriebenen Kugeloberfläche, von der $\theta = 0$ -Achse aus gesehen. Der Magnetisierungsvektor ist auf beiden Halbachsen $\theta \approx 0, \pi$ der einen Konfiguration zum singulären Punkt hin orientiert und auf beiden Halbachsen der anderen Konfiguration von ihm weg



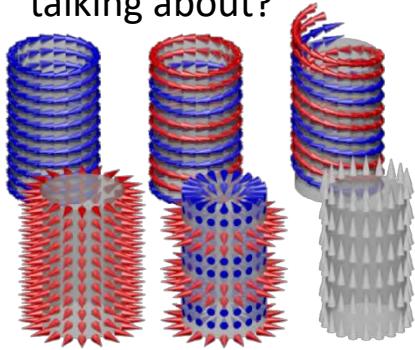
R. Hertel,
J. Phys. Condens.
Matter. 28,
483002 (2016)



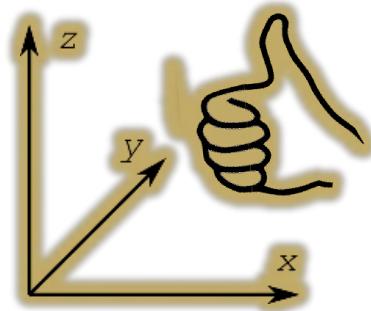
My purpose here

- Personal and light overview
- Keep in mind main ideas not detailed concepts and maths
- Not a research talk

- What are we talking about?



- General considerations

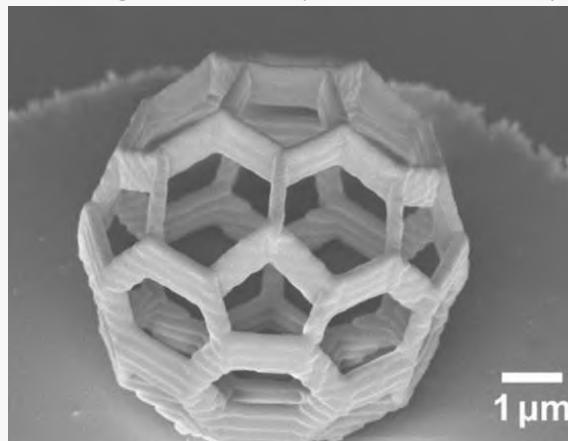


General considerations – What is 3D?

Space

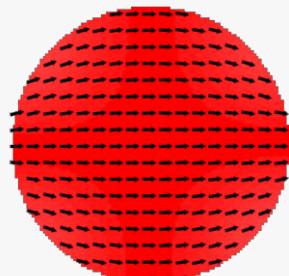
- Physical quantities (incl. magnetization) defined at any location in space

$$\mathbf{M} = \mathbf{M}(x, y, z)$$

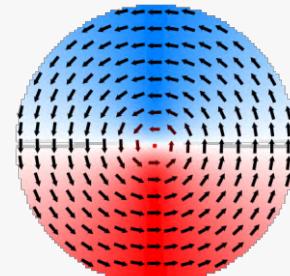


C. Donnelly, Phys. Rev. Lett. 114, 115501 (2015)

- Features: shape, dimensions, dimensionality



Single-domain

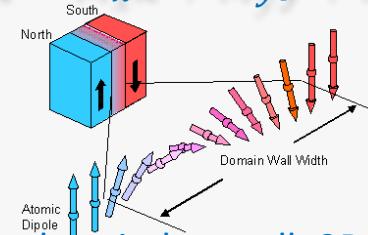


Size > magn. length scale

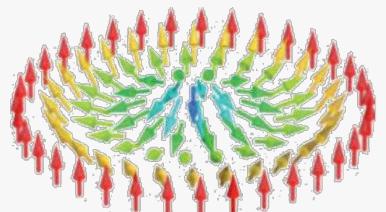
Magnetization components

- Vector field for magnetization has three components

$$\mathbf{M} = M_x \hat{\mathbf{x}} + M_y \hat{\mathbf{y}} + M_z \hat{\mathbf{z}}$$

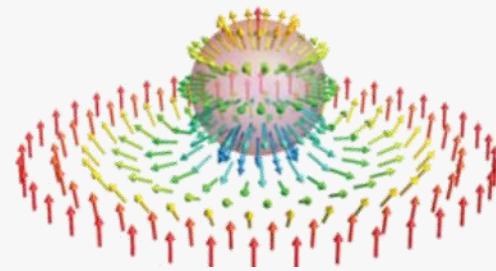


Simple spiral or wall: 2D

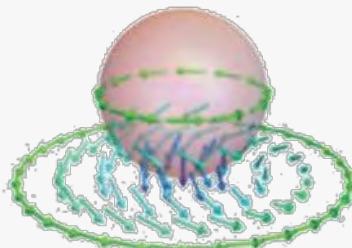


A. Fert, Skyrmiion: 3D
Nat. Nanotech. 8, 152 (2013)

- Mapping magnetization on the unit sphere



Skyrmion



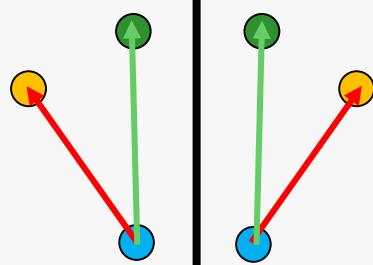
Vortex

In: H.B. Braun, *Solitons in real space: domain walls, vortices, hedgehogs and skyrmions*, Springer (2018)

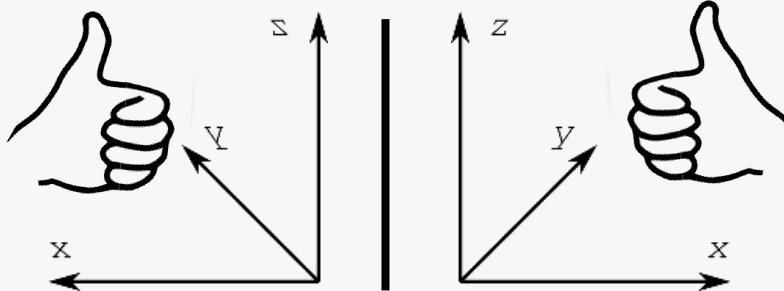
Definition

An object that cannot be superimposed onto itself, following a mirror symmetry

- Two vectors do not allow chirality (the image can be flipped 180°)



- Three vectors are required for chirality



(Counter-)examples

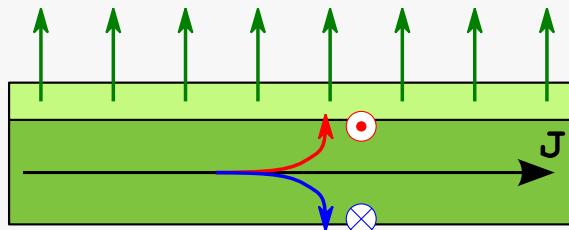
- Not all curling structures are chiral



- Competition or promotion with chiral physical effects, i.e., those involving a vector product

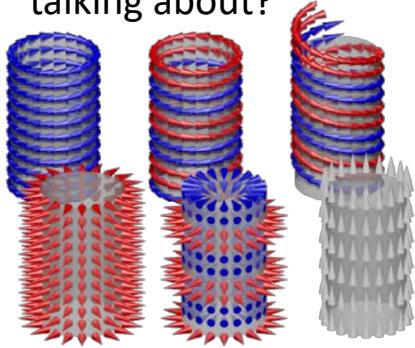
LLG equation

$$\frac{d\mathbf{m}}{dt} = -|\gamma_0| \mathbf{m} \times \mathbf{H} + \alpha \mathbf{m} \times \frac{d\mathbf{m}}{dt}$$

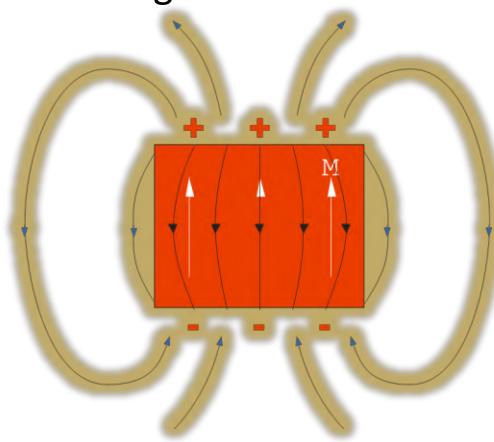


Spin-orbit
torques

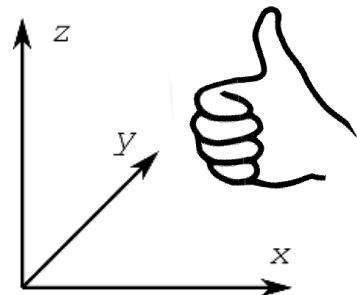
- What are we talking about?



- Magnetostatics in 3D



- General considerations



Magnetostatics – Ways to handle it

Analogy with electrostatics

Maxwell equation →

$$\nabla \cdot \mathbf{H}_d = -\nabla \cdot \mathbf{M}$$

$$\rightarrow \mathbf{H}_d(\mathbf{r}) = -M_s \iiint_{\mathcal{V}'} \frac{[\nabla \cdot \mathbf{m}(\mathbf{r}')] (\mathbf{r} - \mathbf{r}')} {4\pi |\mathbf{r} - \mathbf{r}'|^3} d\mathcal{V}'$$

To lift the singularity that may arise at boundaries, a volume integration around the boundaries yields:

$$\mathbf{H}_d(\mathbf{r}) = \iiint \frac{\rho(\mathbf{r}') (\mathbf{r} - \mathbf{r}')} {4\pi |\mathbf{r} - \mathbf{r}'|^3} d\mathcal{V}' + \oint \frac{\sigma(\mathbf{r}') (\mathbf{r} - \mathbf{r}')} {4\pi |\mathbf{r} - \mathbf{r}'|^3} d\mathcal{S}',$$

Magnetic charges

$\rho(\mathbf{r}) = -M_s \nabla \cdot \mathbf{m}(\mathbf{r})$ → volume density of magnetic charges

$\sigma(\mathbf{r}) = M_s \mathbf{m}(\mathbf{r}) \cdot \mathbf{n}(\mathbf{r})$ → surface density of magnetic charges

Useful expressions

$$\mathcal{E}_d = -\frac{1}{2} \mu_0 \iiint_{\mathcal{V}} \mathbf{M} \cdot \mathbf{H}_d d\mathcal{V}$$

$$\mathcal{E}_d = \frac{1}{2} \mu_0 \iiint_{\mathcal{V}} \mathbf{H}_d^2 d\mathcal{V}$$

$$\mathcal{E}_d = \frac{1}{2} \mu_0 \left(\iiint_{\mathcal{V}} \rho \phi d\mathcal{V} + \oint \sigma \phi \right)$$

- Always positive
- Zero means minimum

Size considerations

$$\mathbf{H}_d(\mathbf{r}) = \text{Volume} + \iint \frac{\sigma(\mathbf{r}') (\mathbf{r} - \mathbf{r}')}{4\pi |\mathbf{r} - \mathbf{r}'|^3} d\mathcal{S}'$$

- Unchanged if all lengths are scaled: homothetic.
NB: the following is a solid angle:

$$d\Omega = \frac{(\mathbf{r} - \mathbf{r}') d\mathcal{S}'}{|\mathbf{r} - \mathbf{r}'|^3}$$

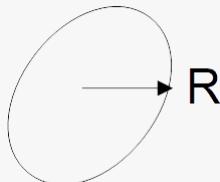
- H_d does not depend on the size of the body (long-range interaction)
- Forces and torques scale with 1/size

[Applications](#)

Range

Example: upper bound of dipolar field in thin films

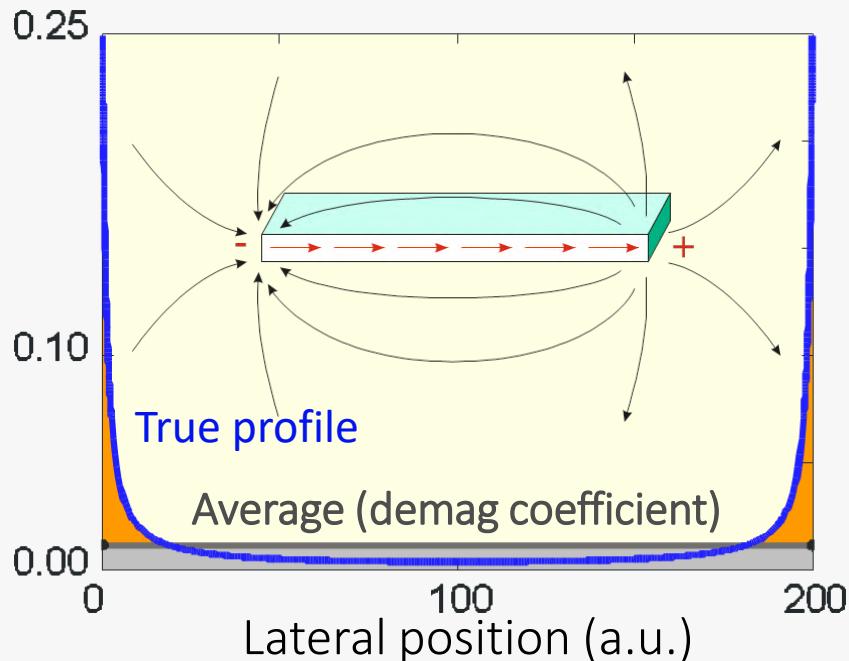
$$\|\mathbf{H}_d(\mathbf{r})\| \leq M_s t \int \frac{2\pi r}{r^3} dr$$



$$\Rightarrow \|\mathbf{H}_d(\mathbf{R})\| \leq \text{Cste} + \mathcal{O}(1/R)$$

Non-homogeneity

Example: flat strip with aspect ratio 0.0125



- Dipolar fields are short-ranged and inhomogeneous in low dimensions
- Consequences: non-uniform magnetization switching, edge modes etc.

→ A 1D/2D system in space behaves very differently from a nano-bulk magnets

Historical background

Introduced in the context of the Brown paradox for magnetization reversal

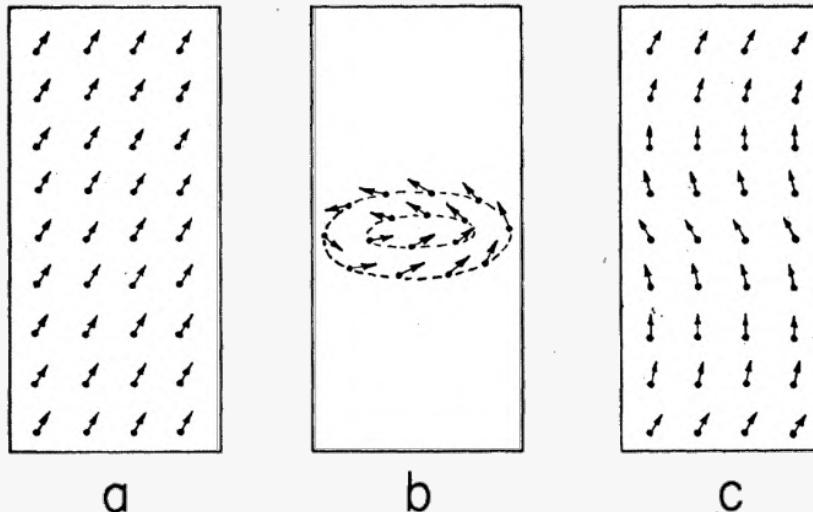
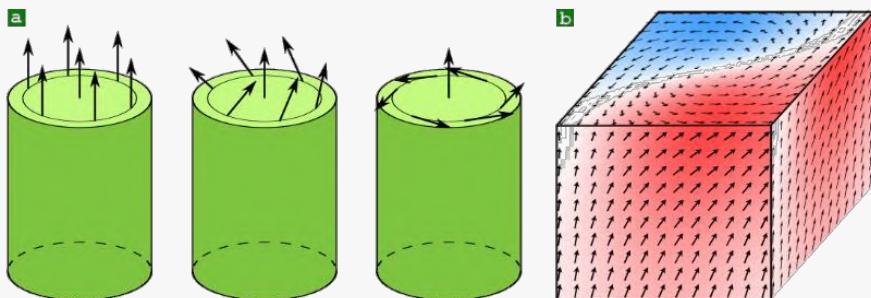


Fig. 2. Modes of magnetization change for the infinite cylinder:
(a) spin rotation in unison; (b) magnetization curling; (c) magnetization buckling.

E. H. Frei, Phys. Rev. 106, 446 (1957)

Example in 3D nanomagnets

End curling in elongated 3D objects (wires etc.)



Curling spreads surface charges into volume charges

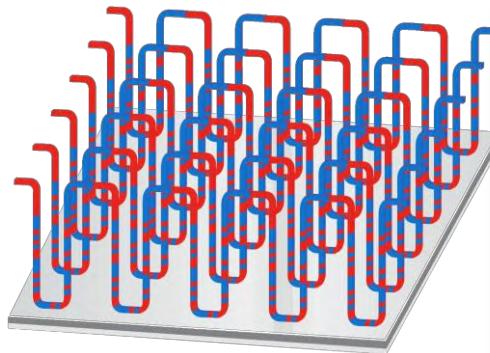
$$\sigma(\mathbf{r}) = M_s \mathbf{m}(\mathbf{r}) \cdot \mathbf{n}(\mathbf{r})$$

$$\rho(\mathbf{r}) = -M_s \nabla \cdot \mathbf{m}(\mathbf{r}) = -M_s \frac{\partial m_z}{\partial z}$$

Notes

- Surface + volume charges is conserved
- Curling may develop whenever a dimension is larger than 7 dipolar exchange lengths

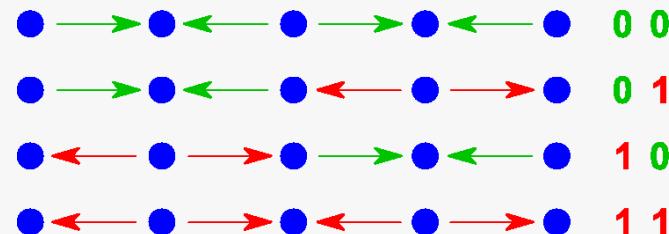
$$\Delta_d = \sqrt{2A/\mu_0 M_s^2}$$



S. S. P. Parkin, Science 320, 190 (2008) + patents (IBM)

3D matrix needs to be globally with zero moment to avoid long-range cross-talks

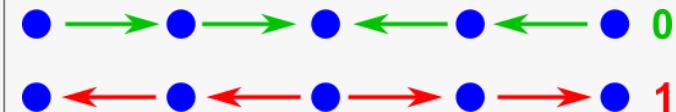
- ❑ Basic building block with zero moment
 - → ● ← 0
 - ← ● → 1
- ❑ Here: one bit per two physical sites
- ❑ Example, two bits:



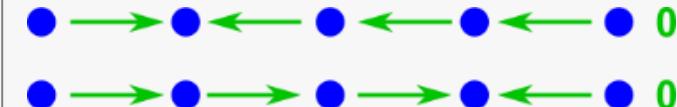
$$4 = 2^2 \text{ states}$$

→ 4 sites per two bits

Can be extended to fault-tolerant coding

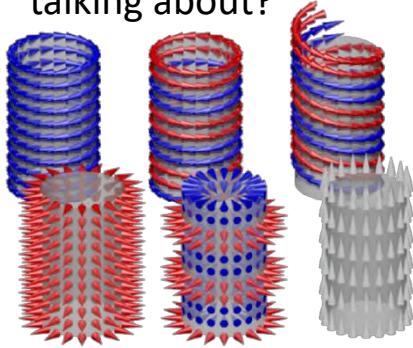


- ❑ The transition and its polarity are not lost if a DW is not shifted, or shifter twice

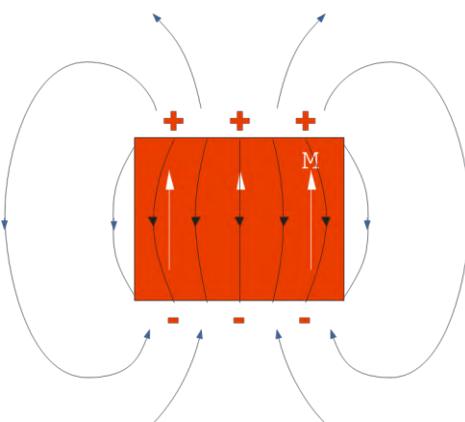


Hardware solution not necessary to decrease global interaction

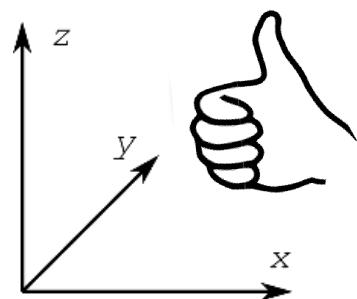
- What are we talking about?



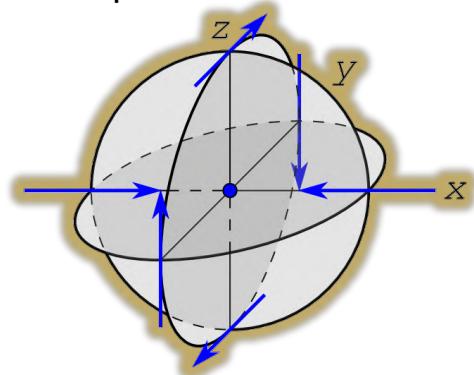
- Magnetostatics in 3D



- General considerations

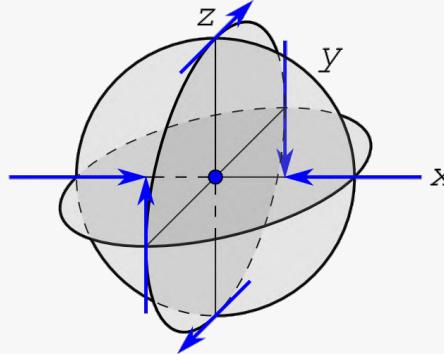


- Spin textures in 3D



Bloch point (0D)

Local vanishing of magnetization



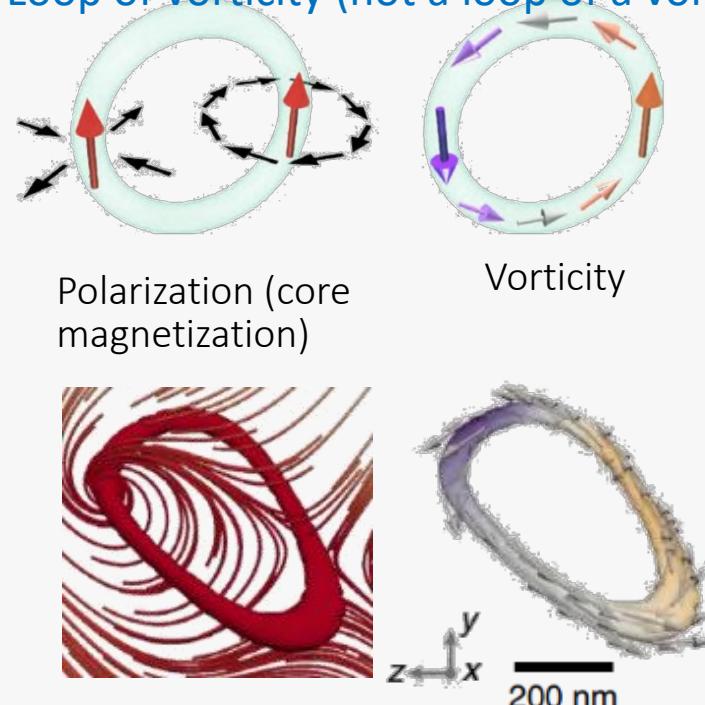
- Imposed by boundary conditions
- Does not exist in 2D magnets
- The only singularity in a ferromagnetic body

R. Feldkeller,
 Z. Angew. Physik 19, 530 (1965)

W. Döring,
 J. Appl. Phys. 39, 1006 (1968)

Vortex ring (1D)

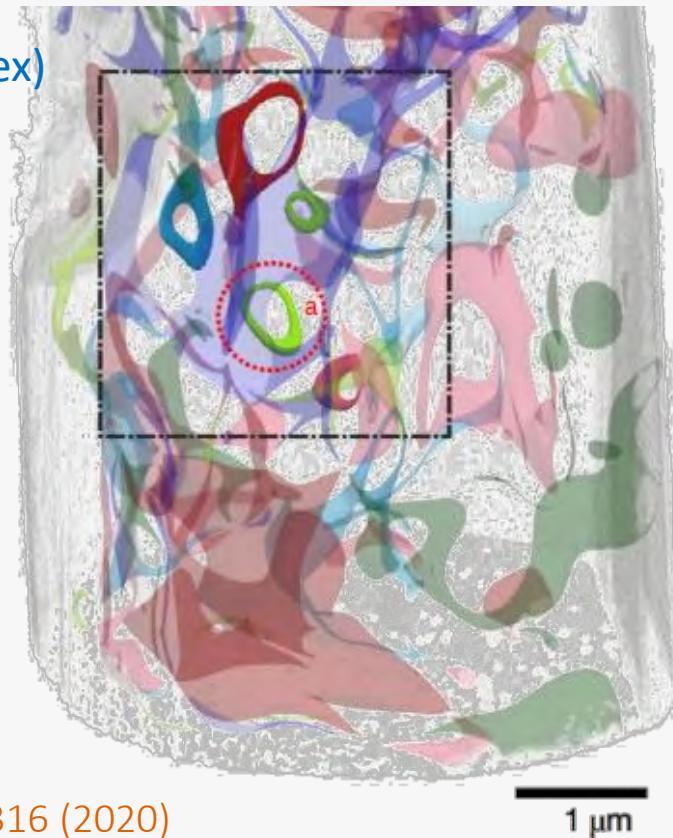
Loop of vorticity (not a loop of a vortex)



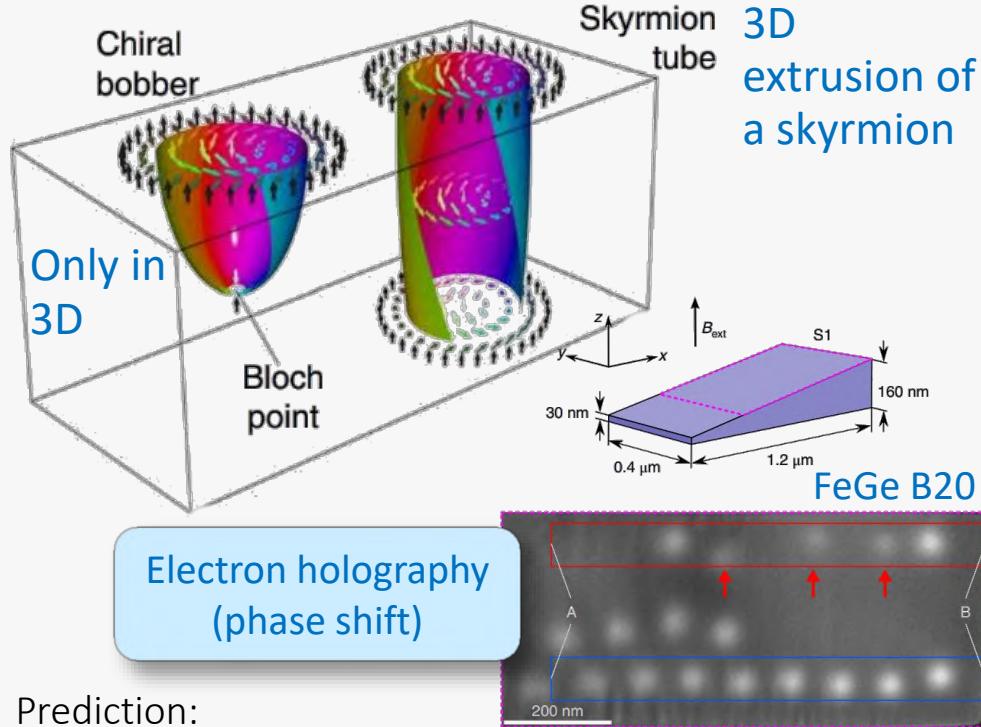
Experiments: C. Donnelly, Nat. Phys. 17, 316 (2020)

Prediction: N. R. Cooper, Phys. Rev. Lett. 82, 1554 (1999)

Vorticity: N. Papanicolaou, NATO, ASI series C404, 151 (1993)



Sklyrmion tubes and bobbers



Prediction:

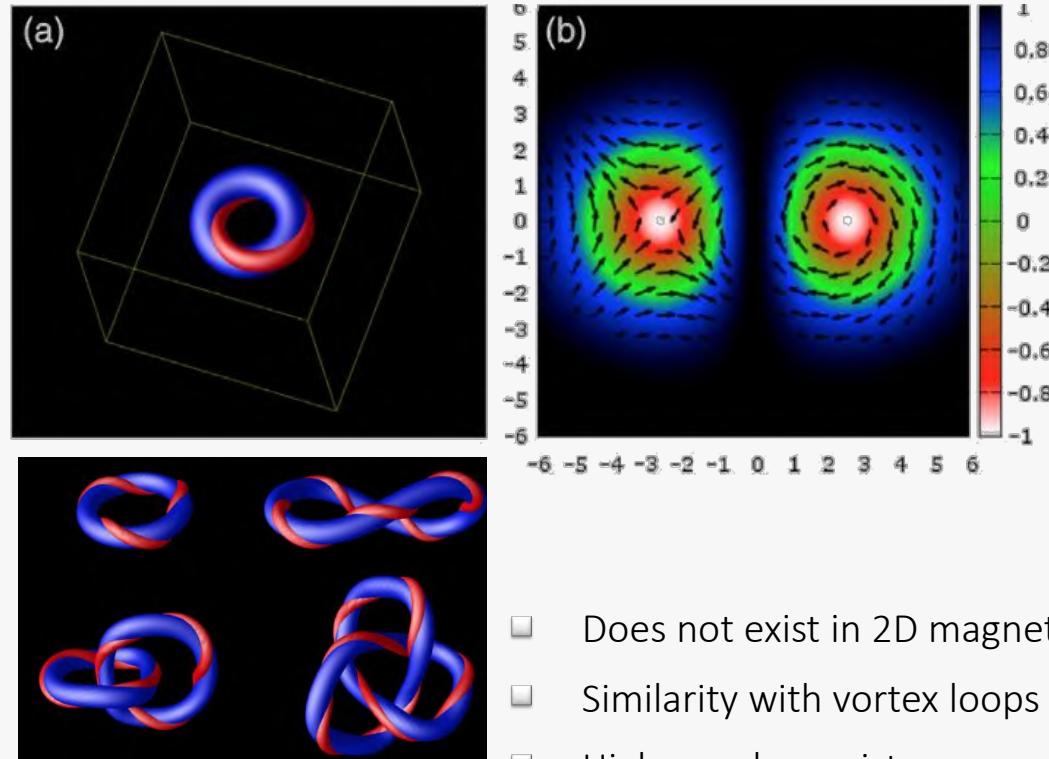
F. N. Rybakov, Phys. Rev. Lett. 115, 117201 (2015)

Experiments:

F. Zheng, Nat. Nanotech. 13, 451 (2018)

Hopfions

Sklyrmionic loops

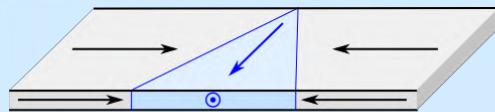


- Does not exist in 2D magnets
- Similarity with vortex loops
- Higher orders exist

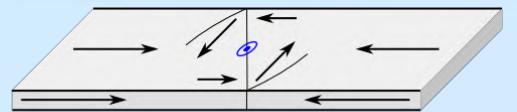
P. Sutcliffe, Phys. Rev. Lett. 118, 247203 (2017)

Note: there are mathematically-defined topological numbers to characterize all these structures

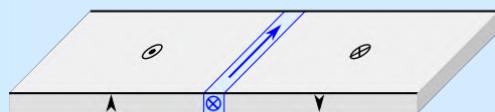
Topology of domain walls in 3D conduits



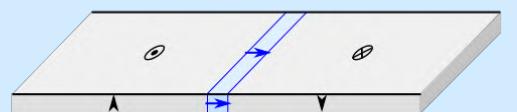
Transverse



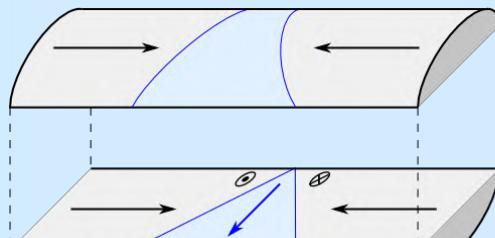
Vortex



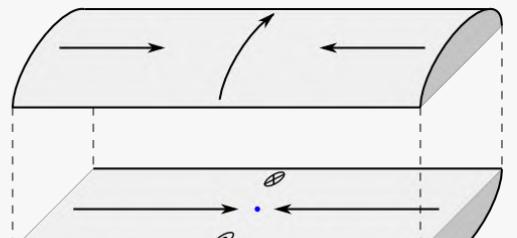
Bloch



Néel



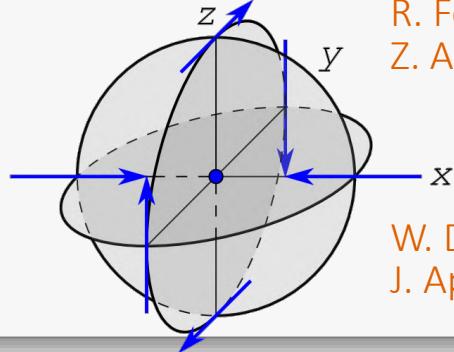
Transverse-Vortex (TVW)



Bloch-point (BPW)

H. Forster, JAP91, 6914 (2002); A. Thiaville, Spin dynamics in confined magnetic structures III, 101, (2006).

Bloch point



R. Feldkeller,
Z. Angew. Physik 19, 530 (1965)

W. Döring,
J. Appl. Phys. 39, 1006 (1968)

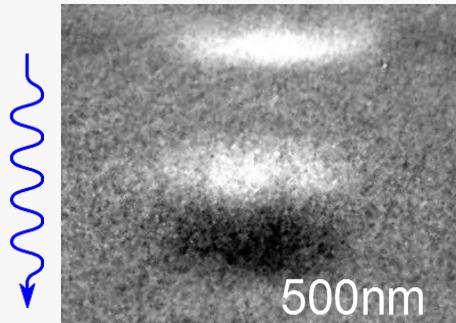
- Transverse and vortex walls for films have same topology
- Bloch-point walls have a different topology
- BPW and TVW have the same charge



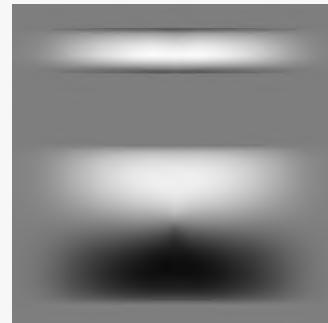
Review : S. Jamet, in Magnetic Nano- and Microwires, M. Vázquez Ed., Woodhead (2015) (arXiv:1412.0679)

Bloch-point walls

Experiment



Simulation



WIRE

SHADOW

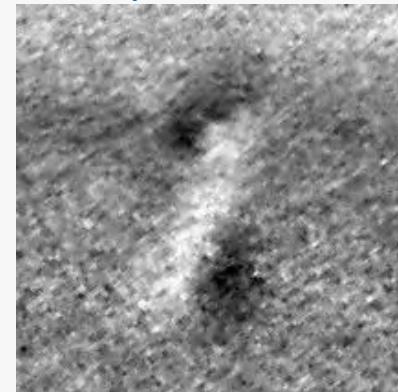


- Orthoradial curling
- Symmetry with respect to plane perpendicular to axis

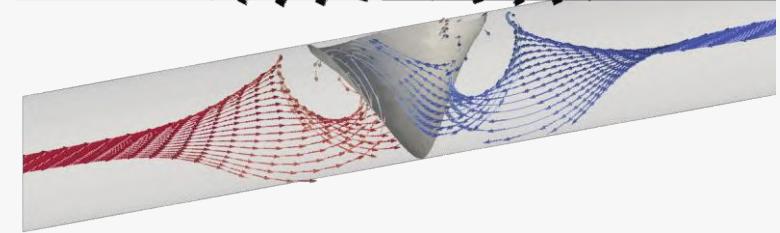
S. Da-Col et al., Phys. Rev. B (R) 89, 180405, (2014)

Transverse walls

Experiment



Simulation

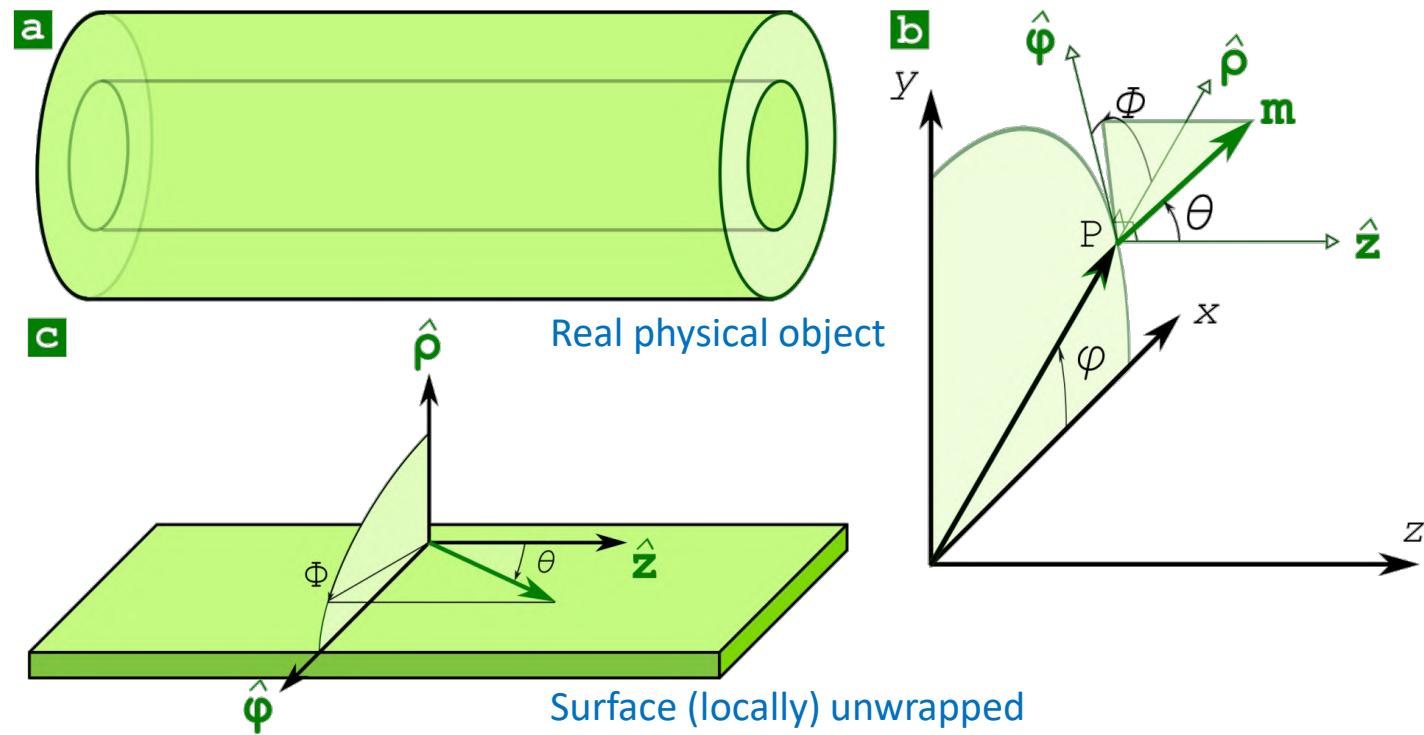


Also imaged with electron holography:
N. Bizi  re et al., Nanolett. 13, 2053 (2013)



Example:
the cylindrical geometry

- Space: (ρ, φ, z)
- Magnetization: (θ, Φ)



Exchange energy

$$E_{\text{ex}} = A \left[\left(\frac{\partial \theta}{\partial \rho} \right)^2 + \frac{1}{\rho^2} \left(\frac{\partial \theta}{\partial \varphi} \right)^2 + \left(\frac{\partial \theta}{\partial z} \right)^2 \right.$$

Curvature term once mapped to
curvilinear coordinates

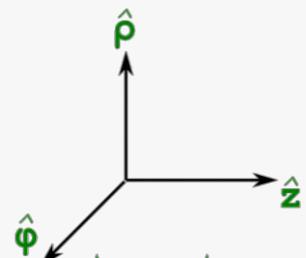
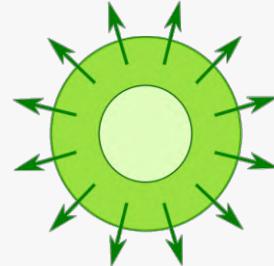
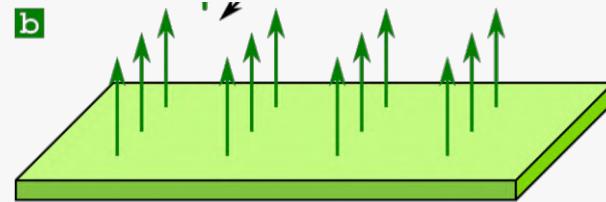
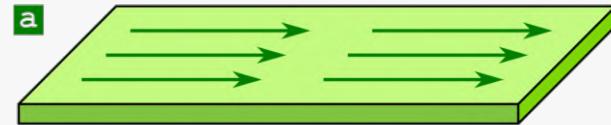
$$\left. + \sin^2 \theta \left(\frac{\partial \phi}{\partial \rho} \right)^2 + \frac{\sin^2 \theta}{\rho^2} \left(1 + \frac{\partial \phi}{\partial \varphi} \right)^2 + \sin^2 \theta \left(\frac{\partial \phi}{\partial z} \right)^2 \right]$$



M. Stano, Magnetic nanowires and nanotubes,
Handbook of Magnetic Materials 27, Elsevier (2018)

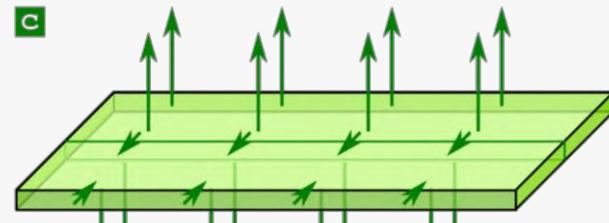
Effective anisotropy and Dzyaloshinskii-Moriya energy

- Curvature-induced anisotropy



Specific case: cylindrical geometry

- Curvature-induced chirality



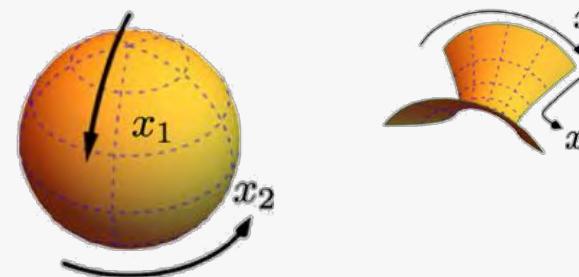
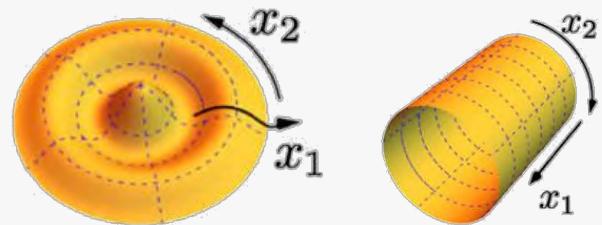
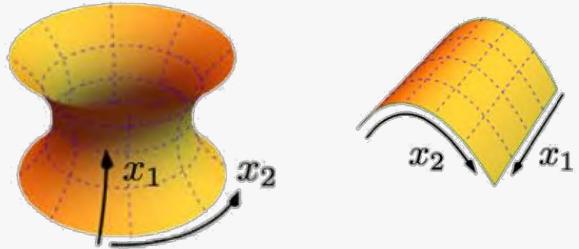
Wall $< 180^\circ$

Wall $> 180^\circ$



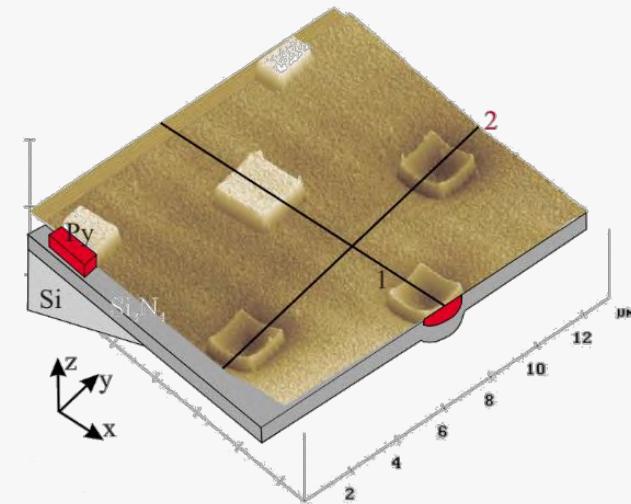
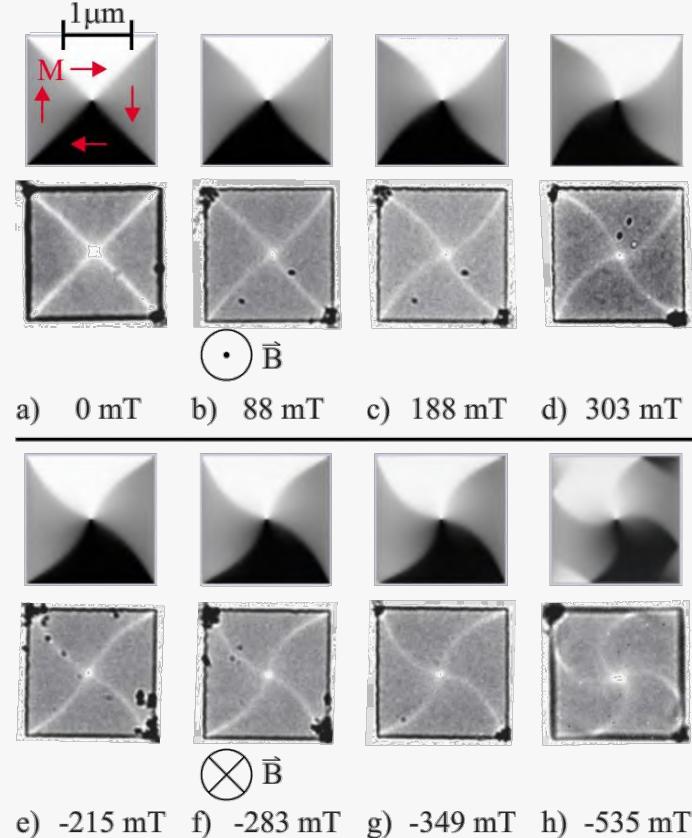
M. Stano, Magnetic nanowires and nanotubes, Handbook of Magnetic Materials 27, Elsevier (2018)

General situations



[D. D. Sheka, Comm. Phys. 3, 128 \(2020\)](#)

Example: elements with curved surface



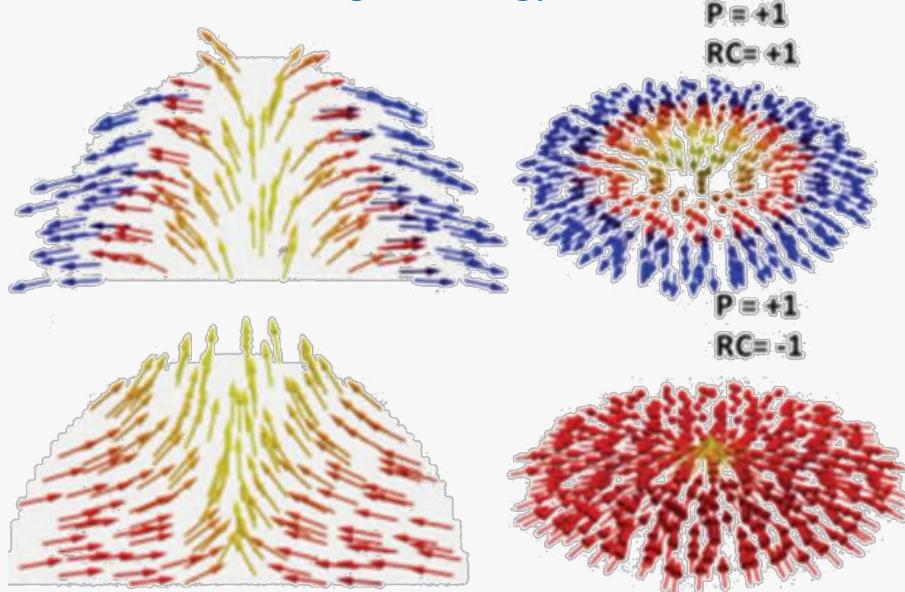
[C. Dietrich, Phys. Rev. B 77, 174427 \(2008\)](#)

Spin textures – Curvature, examples (1/2)

Example: half-sphere nanodot

→ Usual Vortex state replaced with radial edges (see magnetostatics at sharp edges)

$P=1$, radial=1 – Higher energy

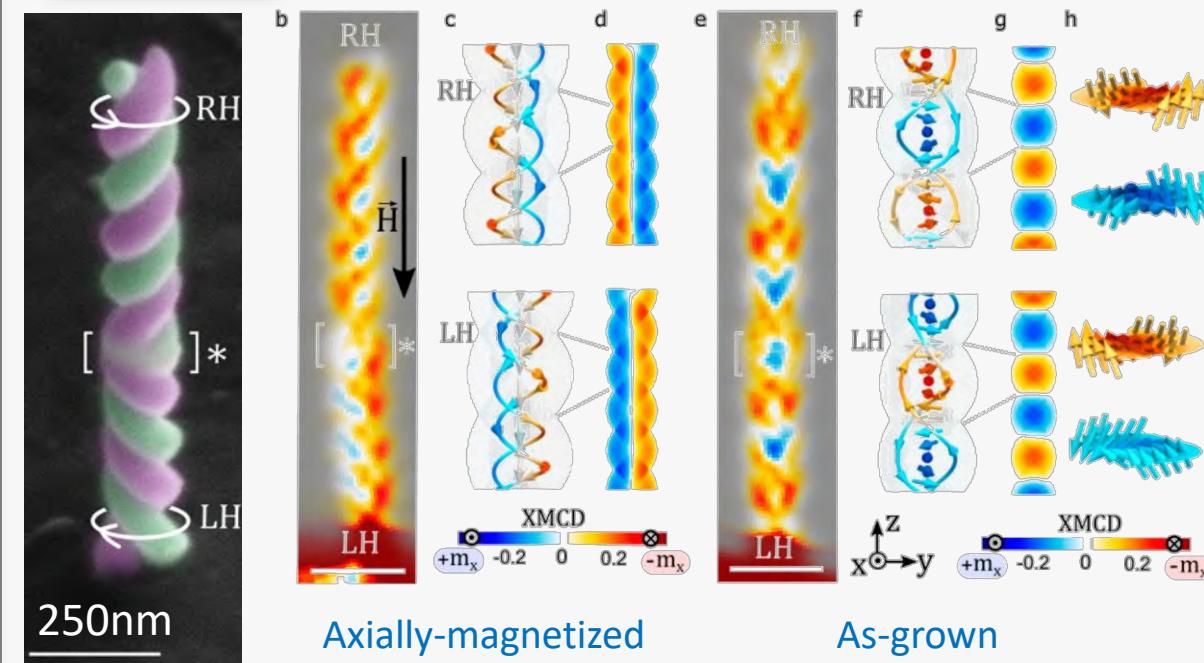


$P=1$, radial=-1 – Lower energy

E. Berganza, Nanoscale 12, 18646 (2020)

Example: magnetic chirality by geometry

FEBID Co

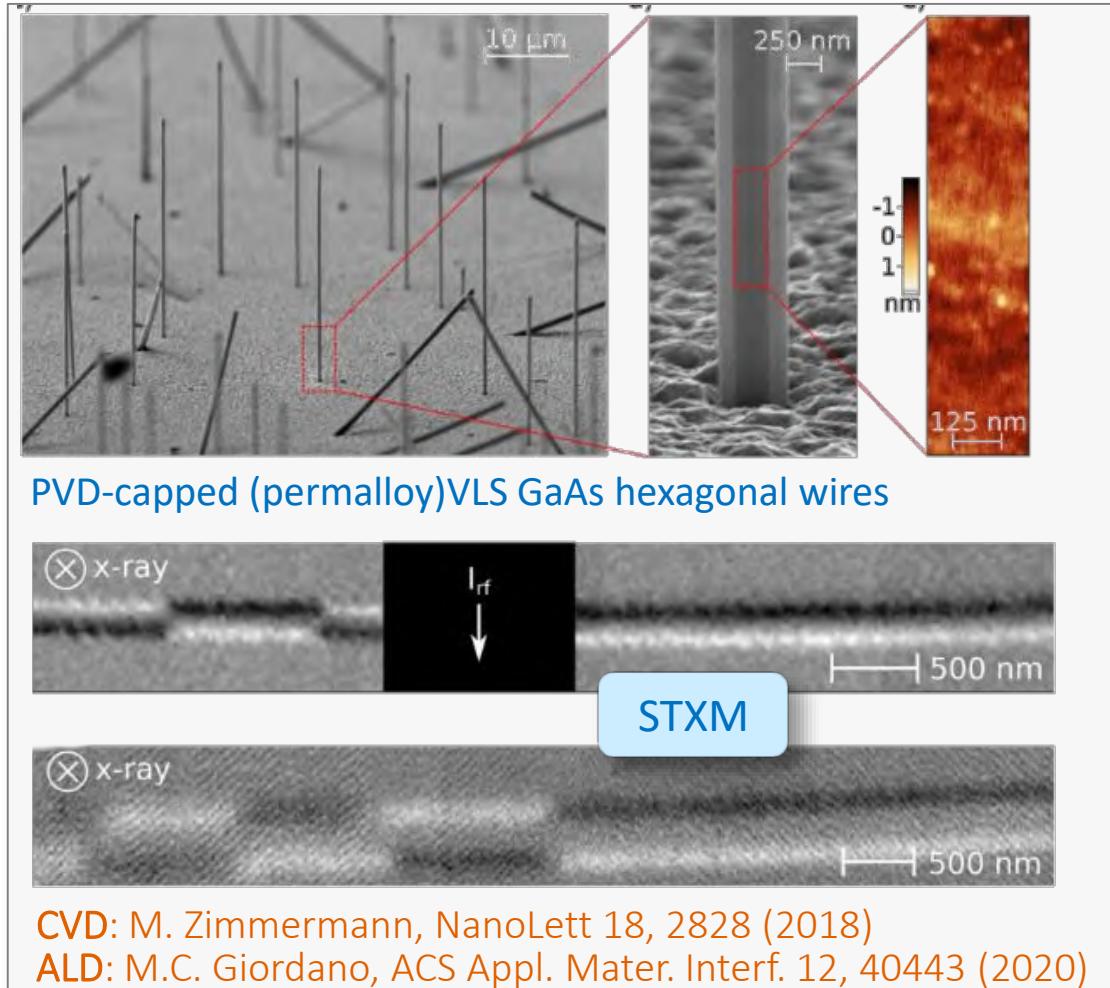
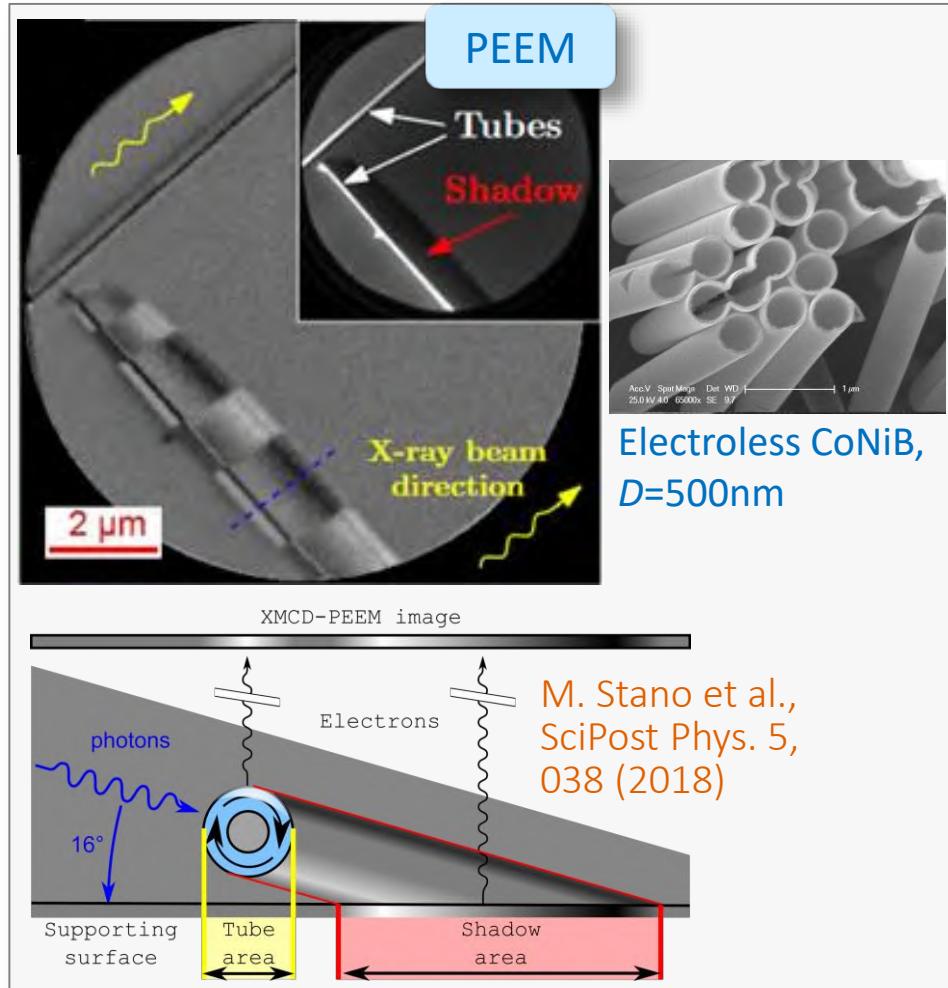


Axially-magnetized
→ Chiral longitudinal
helices

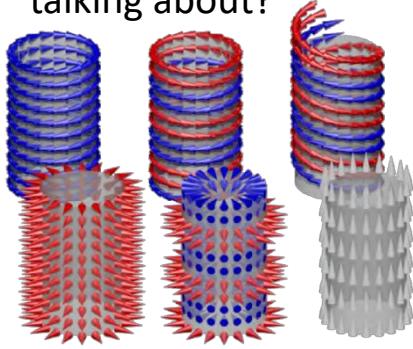
D. Sanz-Hernández, ACS Nano 14, 8084 (2020)

As-grown
→ Chiral transverse
helices

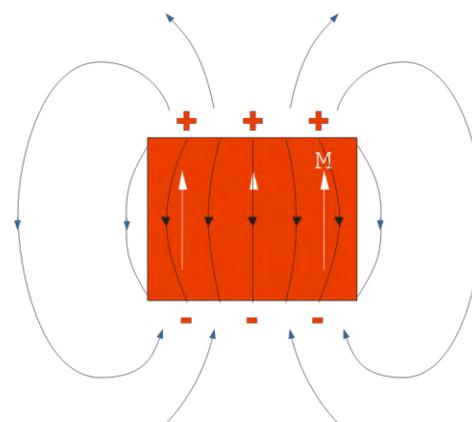
Growth-induced curvature-related magnetic anisotropy – Azimuthal magnetization



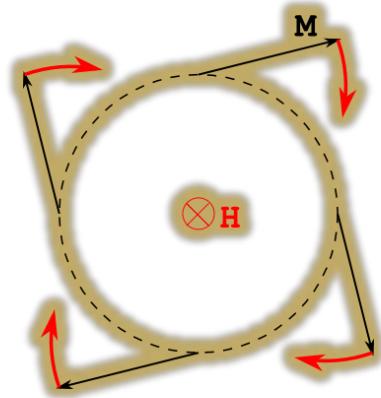
- What are we talking about?



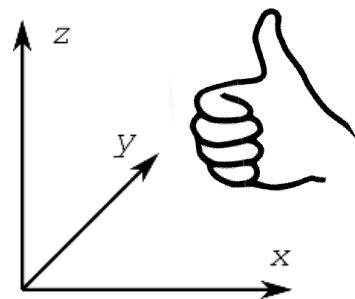
- Magnetostatics in 3D



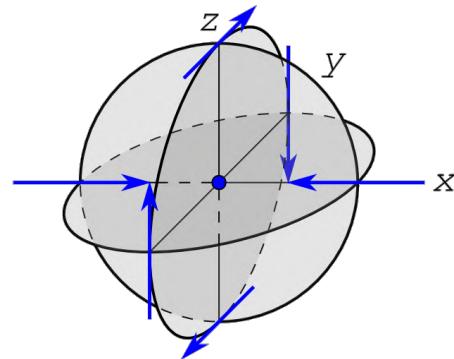
- Magnetization dynamics



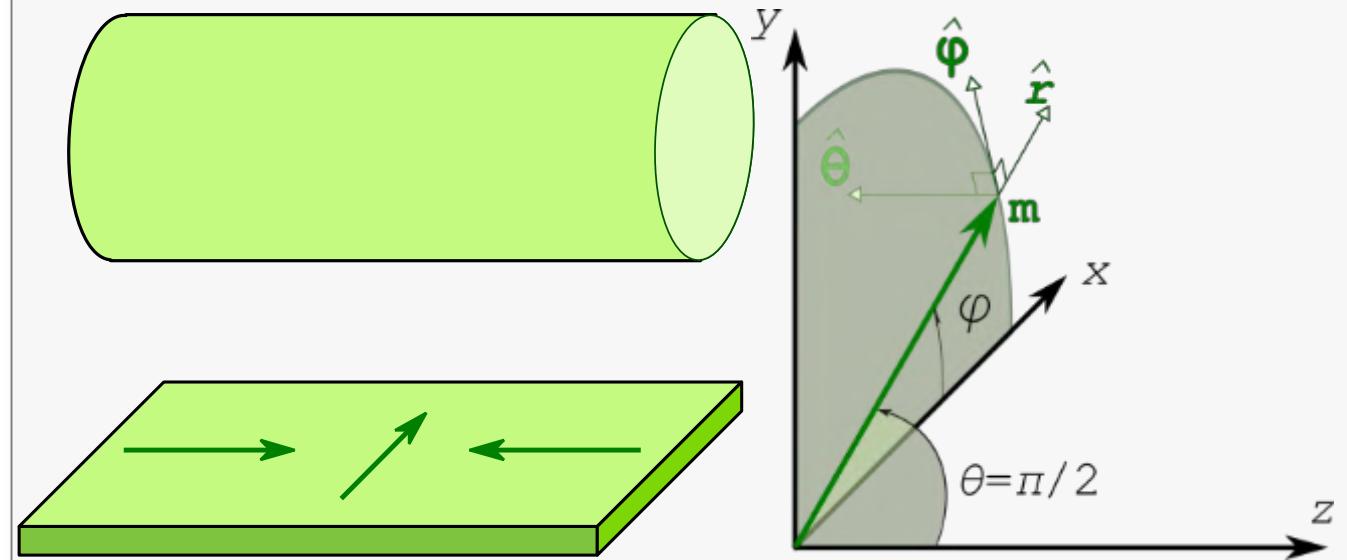
- General considerations



- Spin textures in 3D



Precessional dynamics of transverse walls under magnetic field



Precessional dynamics under magnetic field

$$\frac{dm}{dt} = -|\gamma_0|m \times H + \alpha m \times \frac{dm}{dt}$$

Wall speed

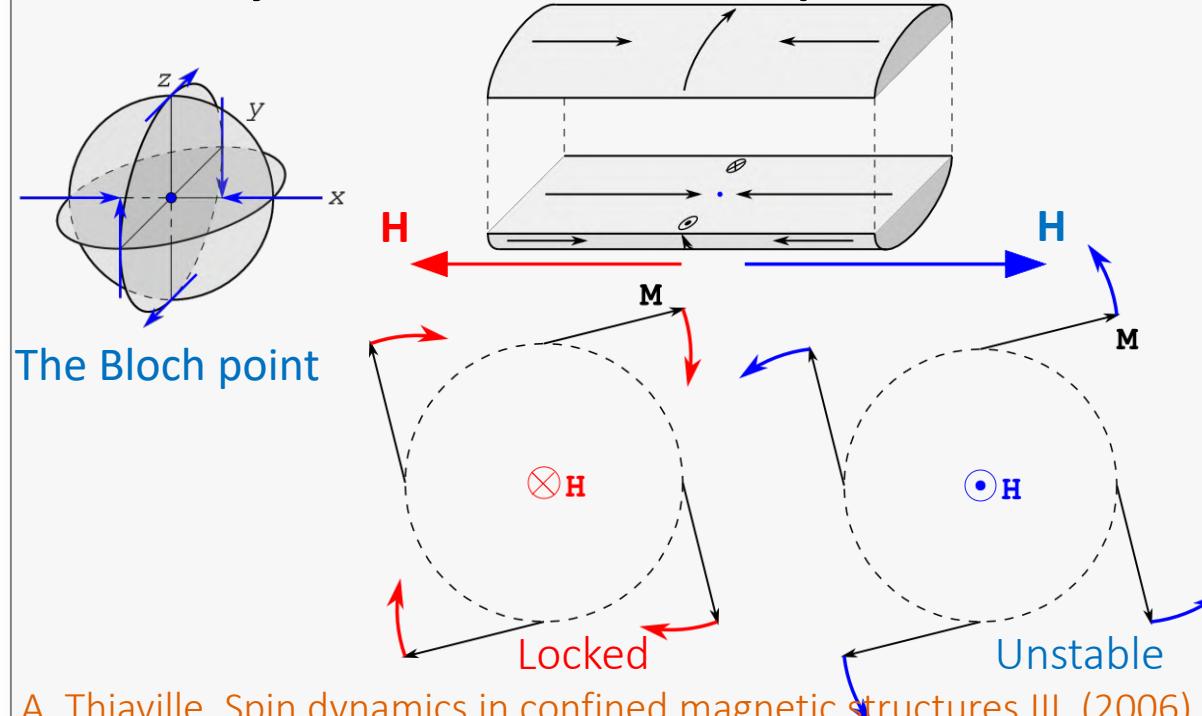
$$v = \alpha |\gamma_0| \Delta H$$

$$v = |\gamma_0| \Delta H / \alpha$$

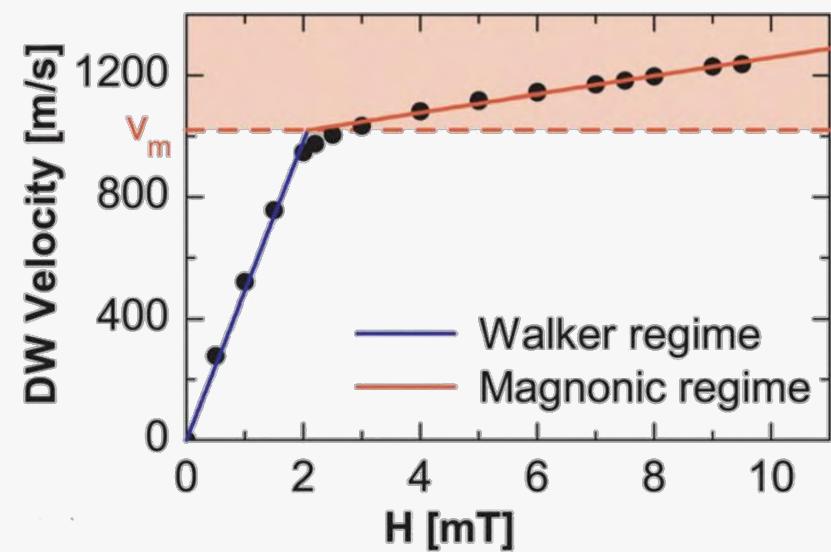
- Walker field $H_W = \alpha M_s / 2$
 \approx few mT
- Walker speed $v = |\gamma_0| M_s \Delta / 2$
up to ≈ 100 m/s, to km/s

A. Thiaville, Y. Nakatani, Domain-wall dynamics in nanowires and nanostrips, in *Spin dynamics in confined magnetic structures {III}*, Springer (2006)

'Once-only' Walker event in Bloch-point walls



Magnonic limit Tubes (similar to wires)



M. Yan et al., Appl. Phys. Lett. 99, 122505 (2011)

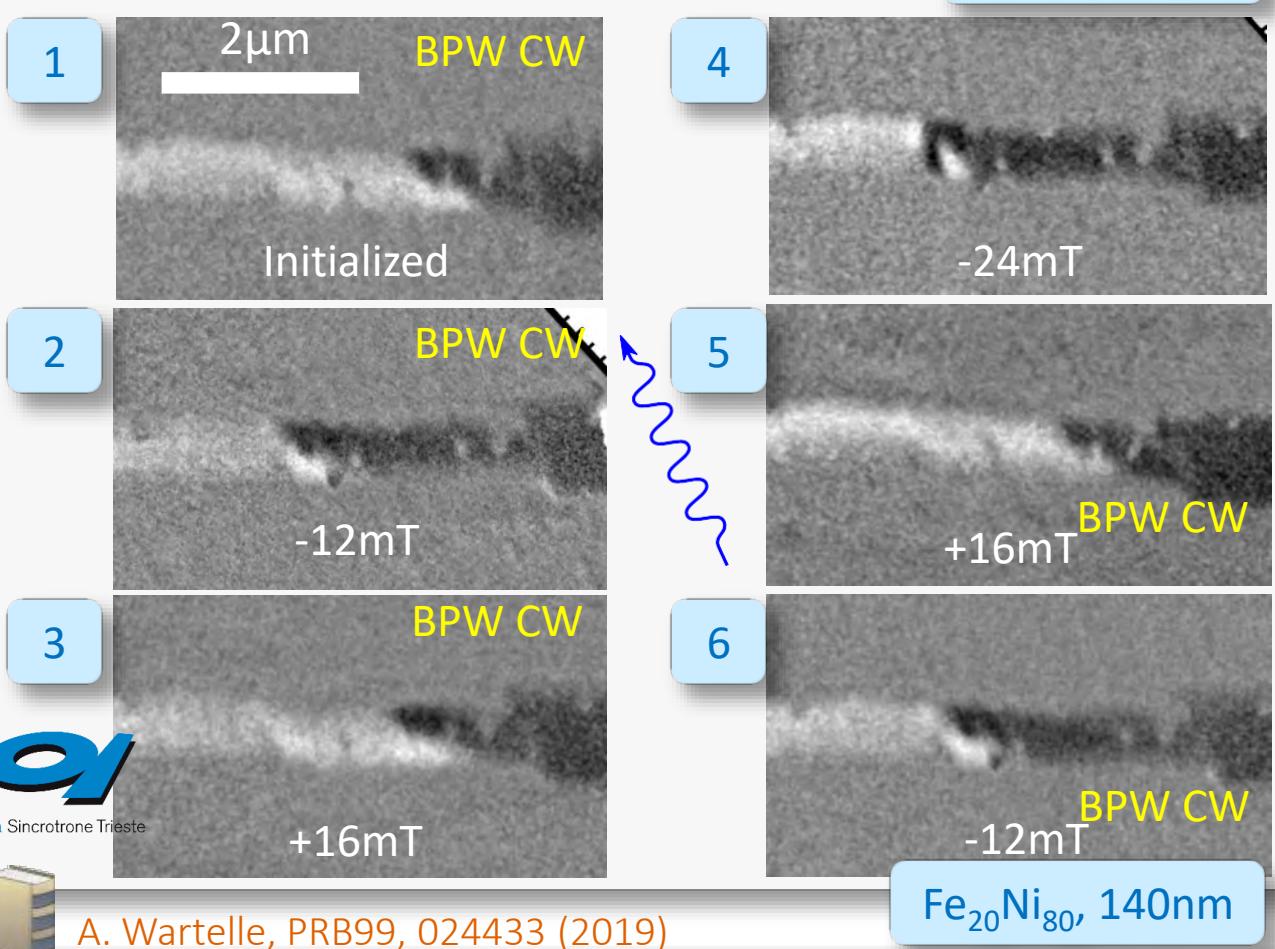
LLG equation

$$\frac{d\mathbf{m}}{dt} = -|\gamma_0|\mathbf{m} \times \mathbf{H} + \alpha \mathbf{m} \times \frac{d\mathbf{m}}{dt}$$



- Circulation related to direction of motion
- Curvature-&-LLG-induced dynamics chirality

Motion under quasistatic magnetic field

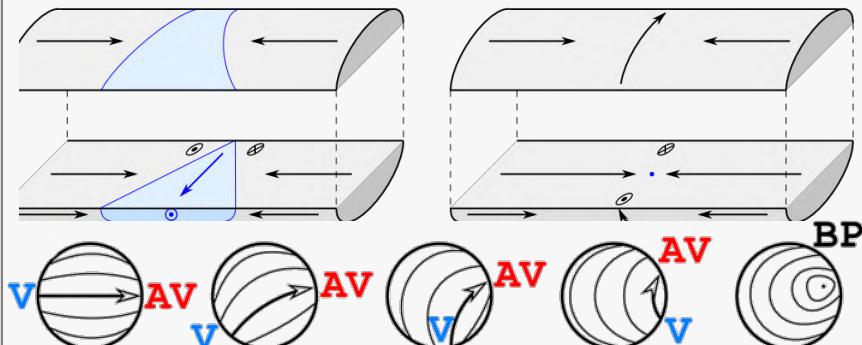


A. Wartelle, PRB99, 024433 (2019)

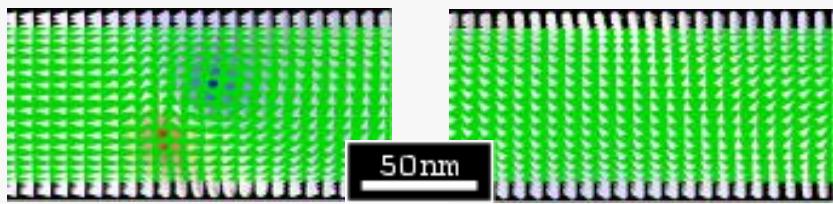


Oliver FRUCHART – Emerging Physics in 3D Nanomagnets

How does topology change?

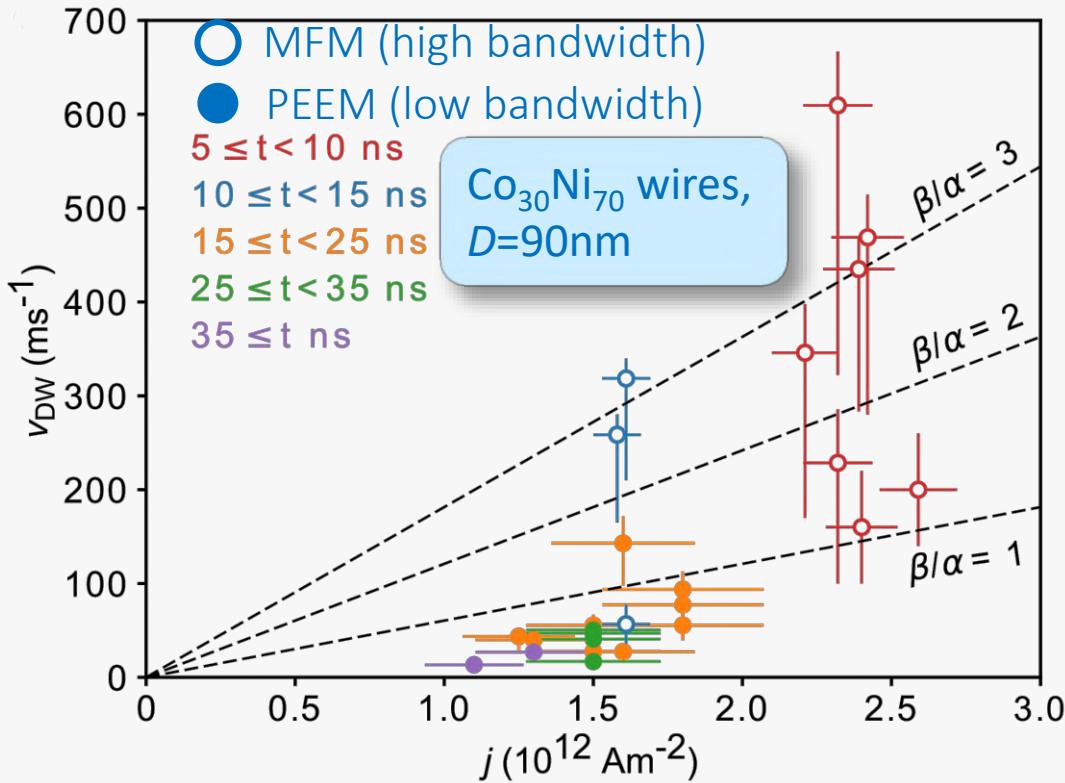


Simulations



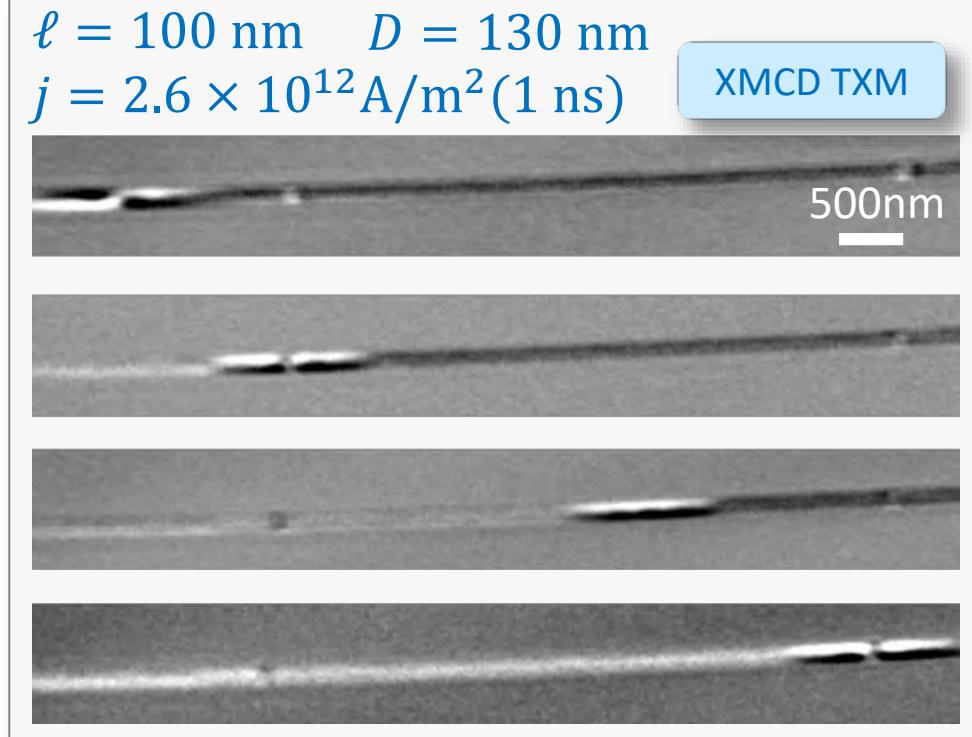
- No topological protection !
- Not predicted previously

Bloch-point wall motion under current



M. Schöbitz et al, PRL123, 217201 (2019)

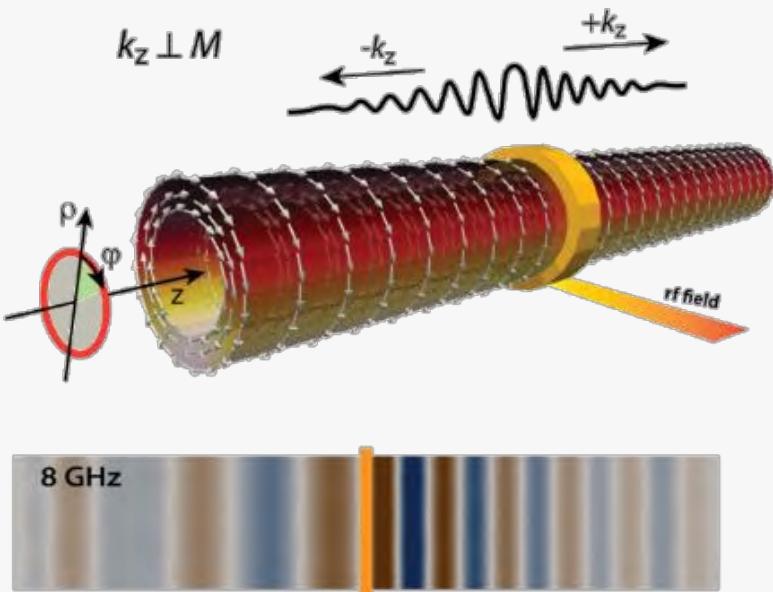
- Largest STT speed in ferromagnetic material
- Compatible only with below-Walker regime
- The magnonic regime is at hand



Note similar recent experimental report C. Bran et al, arXiv 2210.01480 (2022)

Spin waves : non-reciprocity

Magnetization: azimuthal



J. A. Otálora, Phys. Rev. Lett. 117, 227203 (2016)

LLG equation

$$\frac{d\mathbf{m}}{dt} = -|\gamma_0|\mathbf{m} \times \mathbf{H} + \alpha \mathbf{m} \times \frac{d\mathbf{m}}{dt}$$

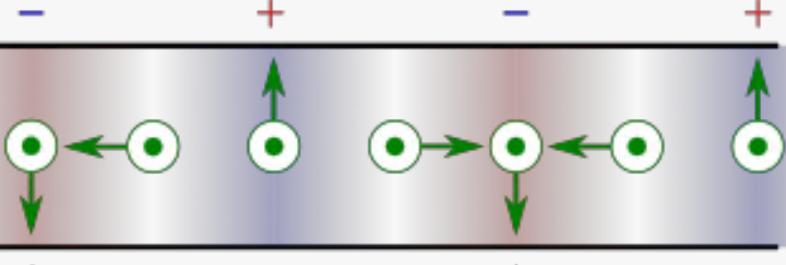
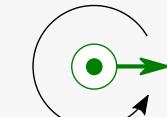
Underlying physics

Daemon Eshbach geometry: \mathbf{M} and \mathbf{k} orthogonal

Towards right \rightarrow Top-surface confinement favored

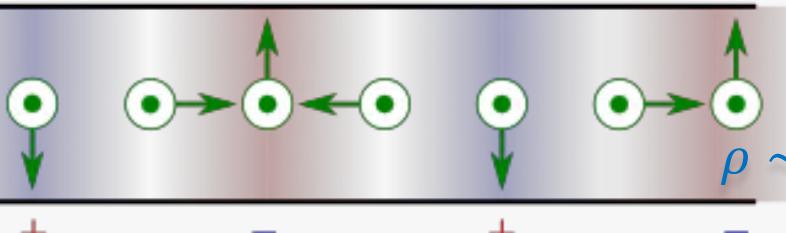
Charge compensation

LLG precession



Towards left \rightarrow Bottom-surface confinement favored

Charge compensation



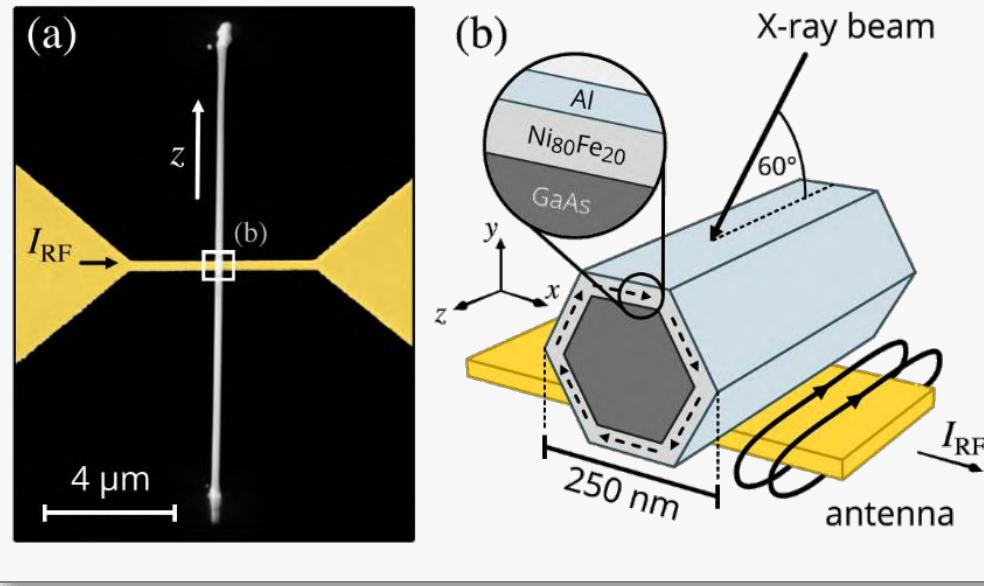
$$\rho \sim -\frac{\partial m_x}{\partial x}$$

$$\sigma \sim \mathbf{m} \cdot \mathbf{n}$$

- Outer and inner surfaces of tube are inequivalent
- Physics = combination of LLG chirality and curvature of tube

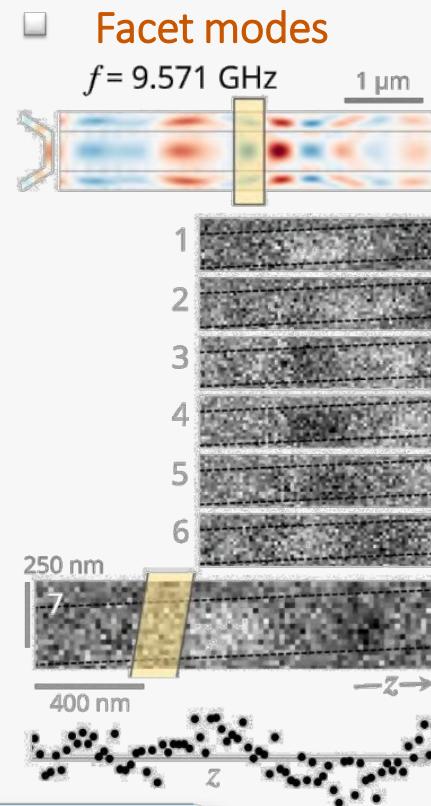
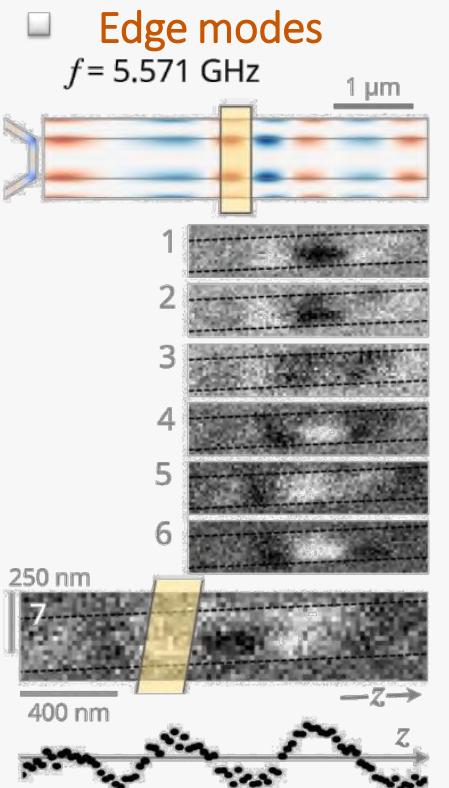
Material and setup

Nanotube with azimuthal magnetization excited locally with a narrow antenna



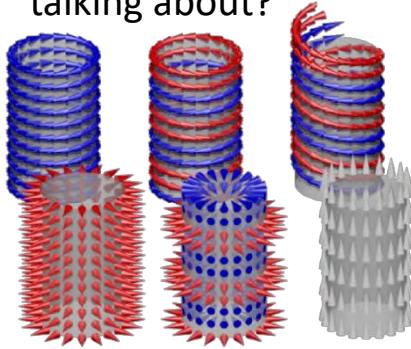
L. Körber, Phys. Rev. B 104, 184429 (2021)

Magnetization dynamics

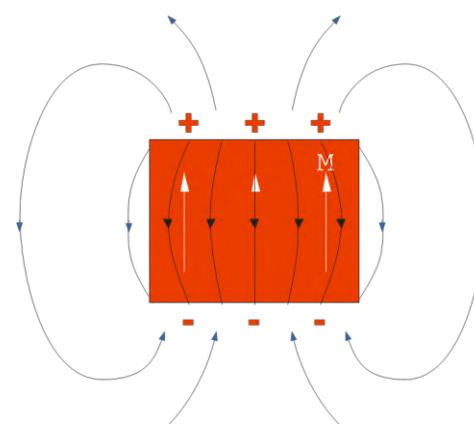


Time-resolved STXM

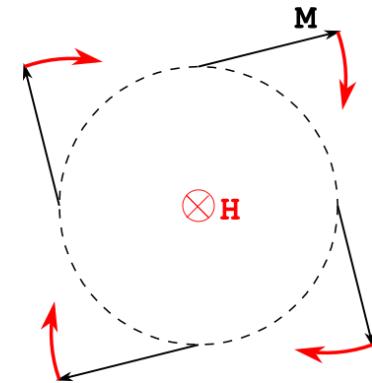
- What are we talking about?



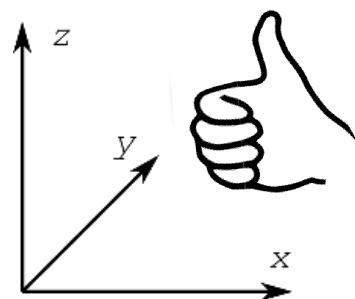
- Magnetostatics in 3D



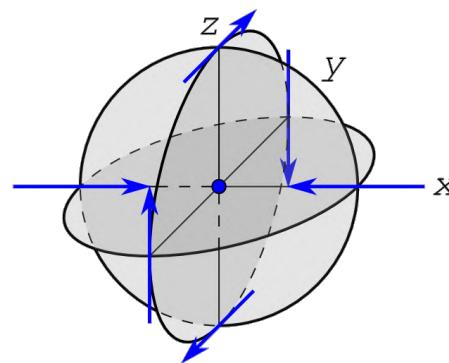
- Magnetization dynamics



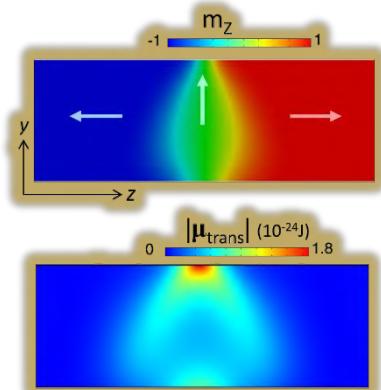
- General considerations



- Spin textures in 3D

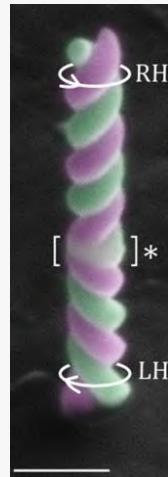
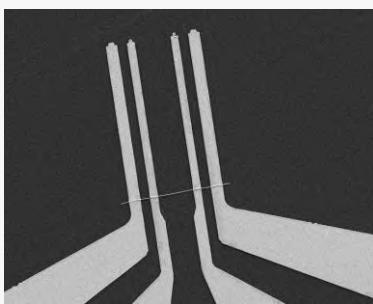


- Spintronics in 3D



Material and patterning challenges

- ☐ Implement other effects than STT, such as magnetoresistance and spin-orbit torques. Requires core-shell multilayers
- ☐ Electrical contacting
- ☐ Materials with low electrical resistance



Heat management

- ☐ Cool free-standing 3D nanomagnets
- ☐ Temperature gradients at modulations of section

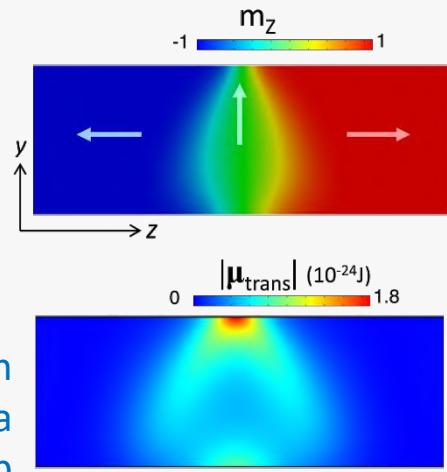


Spin accumulation

- ☐ Curvature and spin accumulation
- ☐ Interaction with spin textures with large gradients, such as Bloch points

Example: transverse spin accumulation across a transverse wall in a strip

M. Sturma, Phys. Rev. 94, 104405 (2016)



Quantum effects

- ☐ Diffusive versus ballistic regimes
- ☐ Quantum coherence of edge currents (TI etc.)

Oersted fields

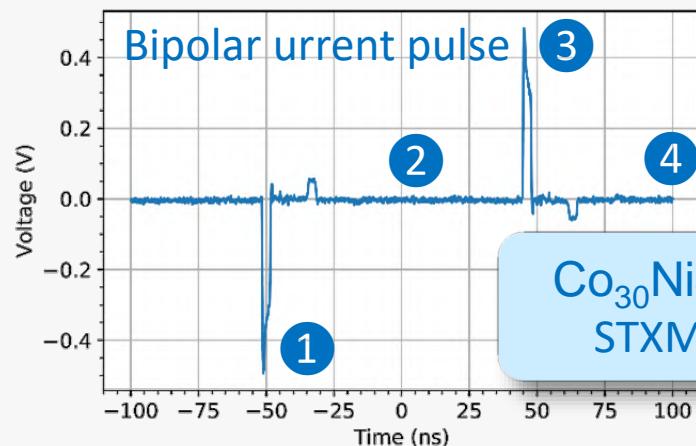
- 3D \rightarrow Larger than for flat films
- Note: similar issue in point-contact STNO

$$\mu_0 H_{\text{OE}}(r) = \frac{1}{2} \mu_0 j r \quad r = 50 \text{ nm}$$

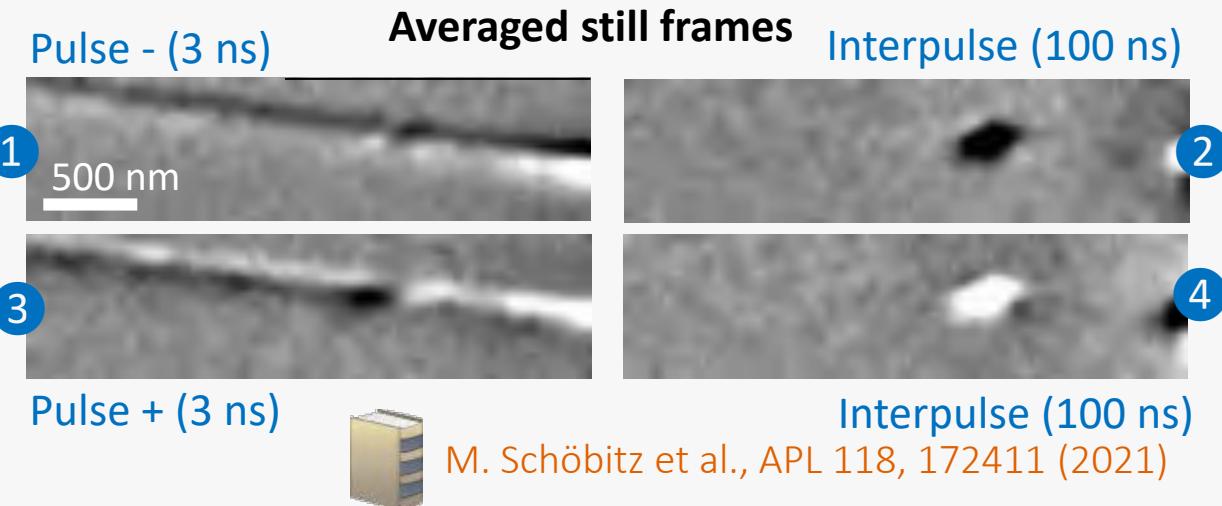
$$j = 10^{12} \text{ A/m}^2$$

 $\mu_0 H_{\text{OE}} = 30 \text{ mT}$

Direct evidence



PAUL SCHERRER INSTITUT
PSI



Experiments: only Bloch-point wall with a given circulation

$$j \simeq -1.7 \cdot 10^{12} \text{ A/m}^2$$

$< 15 \text{ ns}$

$$j \simeq +1.7 \cdot 10^{12} \text{ A/m}^2$$

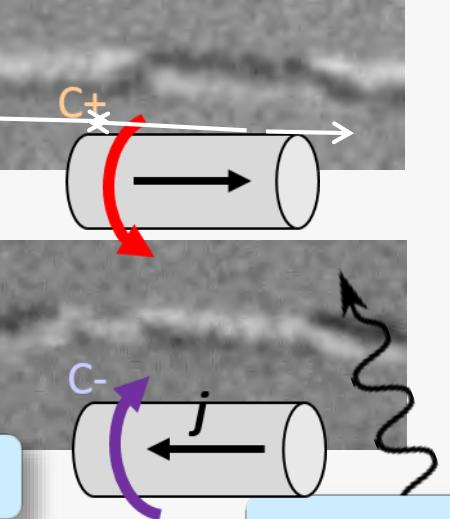
$< 15 \text{ ns}$

Co₃₀Ni₇₀ wires, diameter 90nm



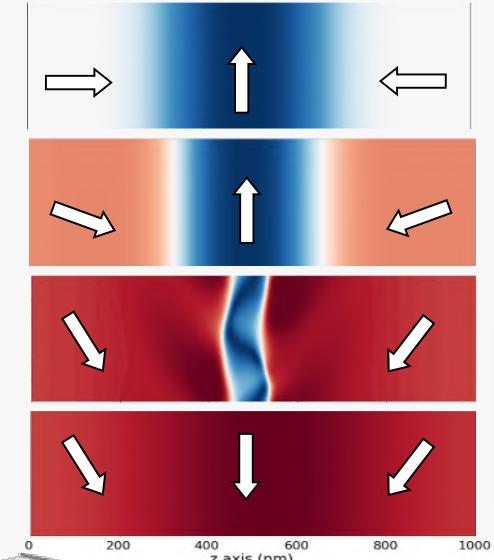
M. Schöbitz et al, PRL123, 217201 (2019)

1μm



X-ray Beam

Simulations of the switching current

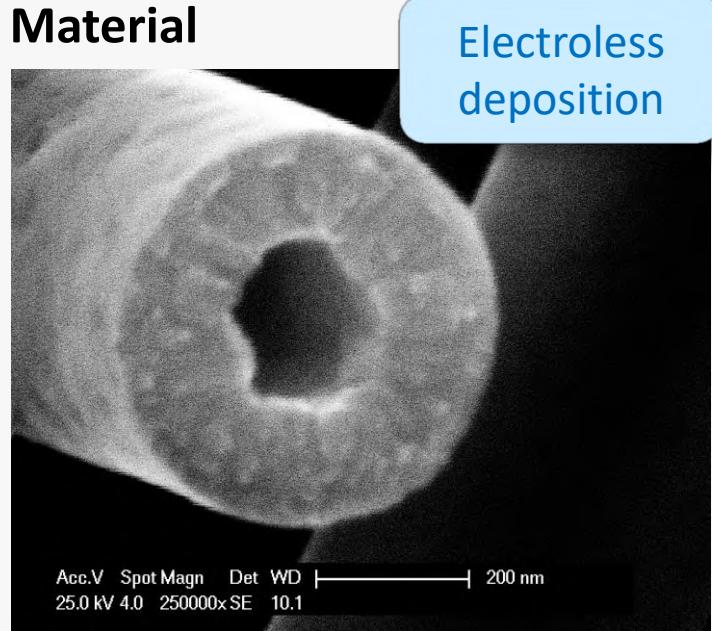


A. De Riz et al., PRB 103, 054430 (2021)

Unrolled surface maps

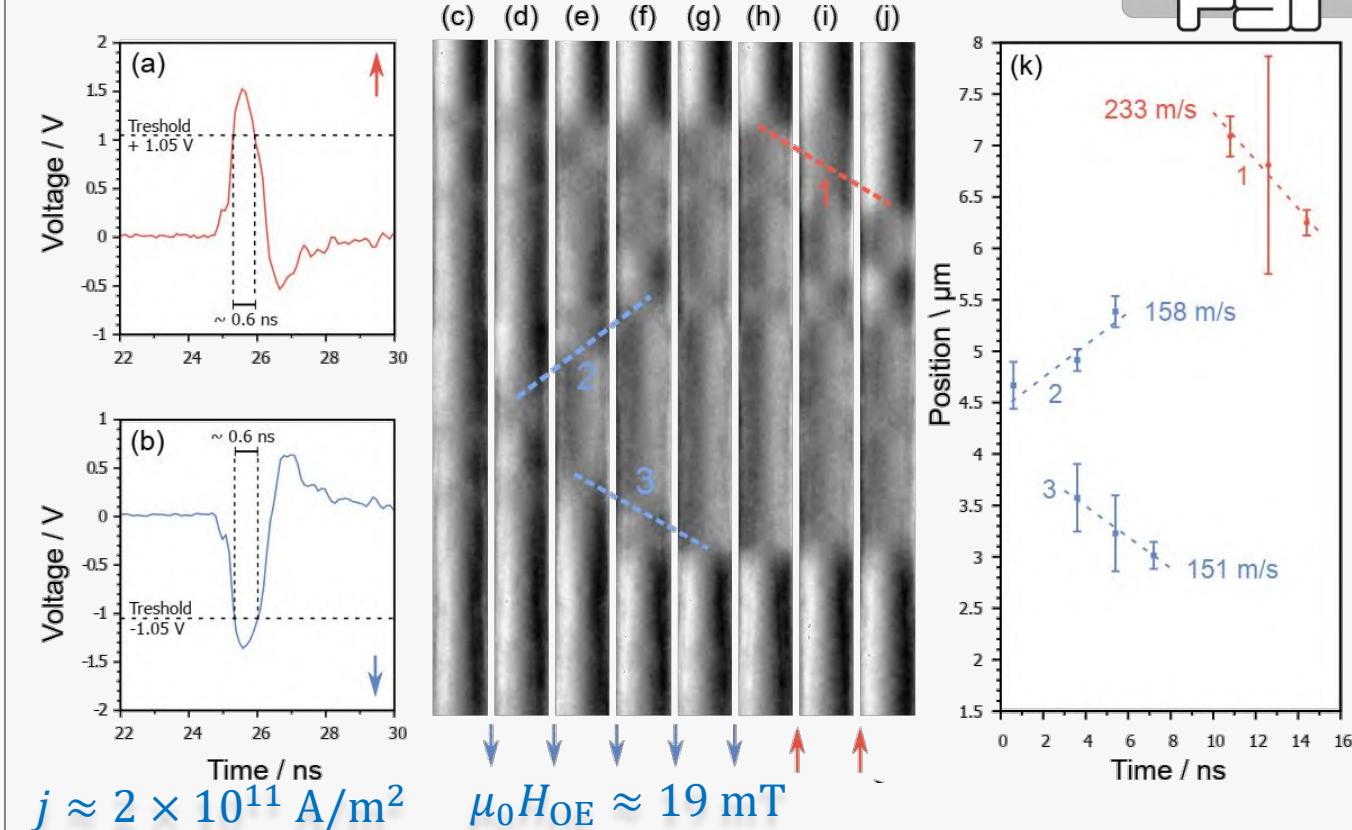
- Stabilizes Bloch-point domain walls (contrasts with field-driven case)
- Contrary to predictions: chirality negative with direction of motion

Material



- CoNiB shell: $(34 \pm 4) \text{ nm}$
- Cu core: $(117 \pm 13) \text{ nm}$
- External diameter: $(578 \pm 5) \text{ nm}$

Domain wall motion driven by Oersted field



- Simple : rotational symmetry, periodic boundary conditions
- Short and intense pulses of magnetic field

Reviews

- Magnetism in curved geometries, R. Streubel et al., J. APpl. Phys. 129, 210902 (2021)
- Nonlocal chiral symmetry breaking in curvilinear magnetic shells, D. D. Sheka, Comm. Phys. 3, 128 (2020)
- Advances in artificial spin ice, Skjaervo et al (2020)
- Neuromorphic spintronics, Grollier et al (2020)
- Imaging three-dimensional magnetic systems with X-rays, C. Donnelly et al., J. Phys. Condens. Matter 32 (2020).
- Launching a new dimension with 3D magnetic nanostructures, P. Fischer et al., Appl. Phys. Lett. Mater. (2020)
- Three-dimensional magnetism, A. Fernandez-Pacheco et al., Nat. Comm. 8 [14p] (2017)
- Magnetism in curved geometries, R. Streubel et al., J. Phys. D: Appl. Phys. 49 [45p] (2016)
- Deformable curved magnetic surfaces, A. Saxena et al., Physica A 261, 13 (1998)
- Curvature-induced geometrical frustration in magnetic systems, Phys. Rev. B 55, 11051 (1997)

Chapters and books

- **Curvilinear Micromagnetism: From Fundamentals to Applications**, D. Makarov, D. D. Sheka, Springer (2022)
- **Magnetic nano- and microwires**, M. Vazquez Ed., Elsevier 2020
- **Three-dimensional Magnonics**, Gianluca Gubbiotti, 2019
- **Magnetic nanowires and nanotubes**, M. Stano, O. Fruchart, Handbook of magnetism and magnetic materials 27 (2018).
- **Solitons in Real Space: Domain Walls, Vortices, Hedgehogs, and Skyrmiions**, H.-B. Braun, Springer Series in Solid-State Sciences, (2018).
- **Nanofabrication of three-dimensional magnetic structures**, D. Sanz-Hernández, in Nanofabrication (Ed. de Teresa)
- **Magnetic nano- and microwires**, M. Vazquez Ed., Elsevier 2015



- **SPINTEC / NEEL** M. Schöbitz, A De Riz, J. Hurst, L. Alvaro-Gomez, C. Thirion, L. Cagnon, L. Vila, A. Masseboeuf, D. Gusakova, J. C. Toussaint, L. Buda, L. Prejbeanu, O. Fruchart
- **Univ. Erlangen-Nürnberg** R? Crisp, L. Ngo, S. Bochmann, J. Bachmann
- **IMDEA-Madrid** S. Ruiz-Gómez, C. Fernández-González, L. Perez
- **ELETTRA** T. O. Mentes, A. Locatelli, F. Genuzio
- **ALBA** M. Foerster, L. Aballe
- **SOLEIL** R. Belkhou, M. Rioult, N. Mille
- **SLS** S. Finizio, W. Raabe
- **CEMES** C. Gatel